

Problem 1

Investigate the electric field \vec{E} in the following model.

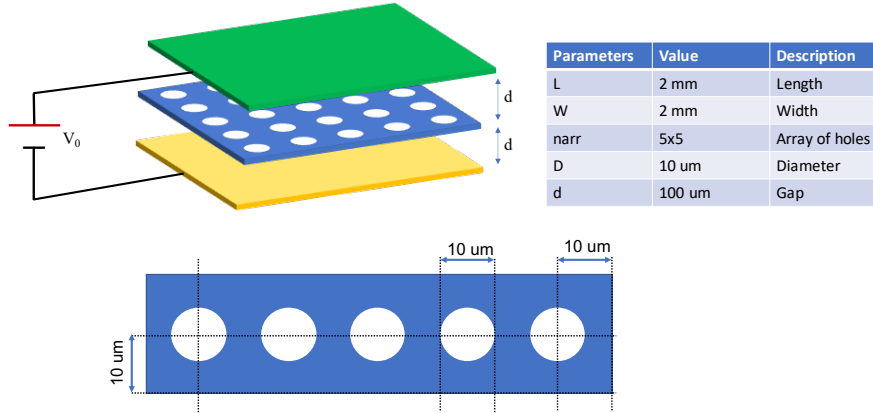


Figure 1: Triode structure (Figure not to scale).

- A. How does the distribution of holes affect the fringing of the electric field \vec{E} in the triode structure?
- B. Do you need the 3D geometry to study this? Can you perform similar studies in 1D structure?

Problem 2

Perform the transient-model study for the following structure.

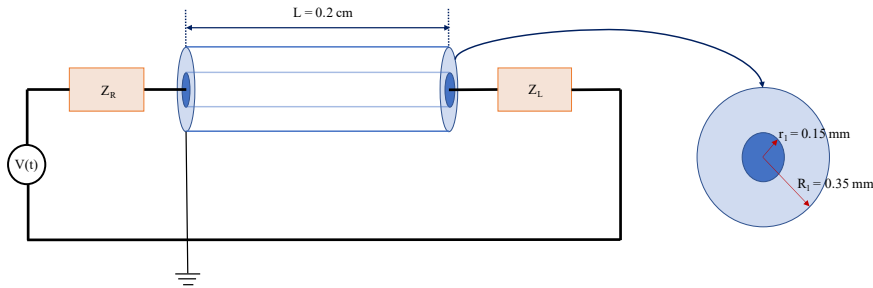


Figure 2: Coaxial cable connected to a time-dependent voltage source $V(t)$ through input and output impedance Z_R and Z_L , respectively.

Study this structure for different frequencies $f_1 = 1\text{ GHz}$ and $f_2 = 100\text{ GHz}$ ($f = 20\text{ GHz}$ demonstrated in the lecture).

If you short or open the circuit, that is,

- $Z_R = 0$ (short) — Perfect Conductor
- $Z_L = \infty$ (open) — Perfect Magnetic Conductor

then,

- A Study the transient response and explain the difference you observe.
- B Which one will make a best cavity resonator and why?
- C Does the cavity resonance depend on the voltage source?
- (a) $V(t) = V(f_1) \times \text{gaussian pulse}$
- (b) $V(t) = V_0 \sin(2\pi f_1 t + \phi)$
- (c) $V(t) = V(f_1) \times \text{rectangular pulse}$

Bonus

Now, let's deform the one end (dielectric) of the load as shown in the figure below.



Figure 3: Deformed coaxial cable at the end.

where k is a constant. What will happen if we make curved boundary as perfect metal?

Problem 3

Calculate the transfer function of the following circuit:

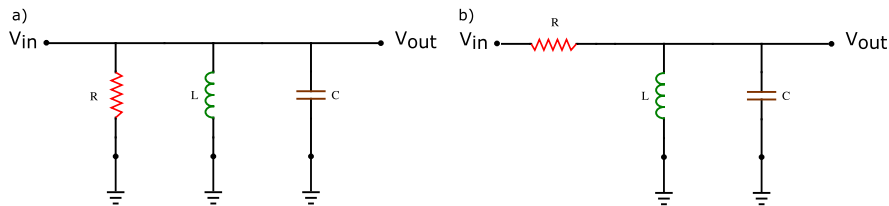


Figure 4: RLC circuit.

where $R = 10 \text{ K}\Omega$, $L = 47 \mu\text{H}$, and $C = 50 \text{ pF}$.

Now, hook this RLC circuit to the coaxial line. What will happen? Note $Z_L = Z(\omega)$ is the impedance of the RLC circuit. It is enough to solve for the case $Z_L = Z(\omega_0)$, where ω_0 is the resonant frequency of the RLC circuit. What are the quality factors Q of these circuits?

Problem 4

a. Calculate S21 and S11 parameters for the following structure.

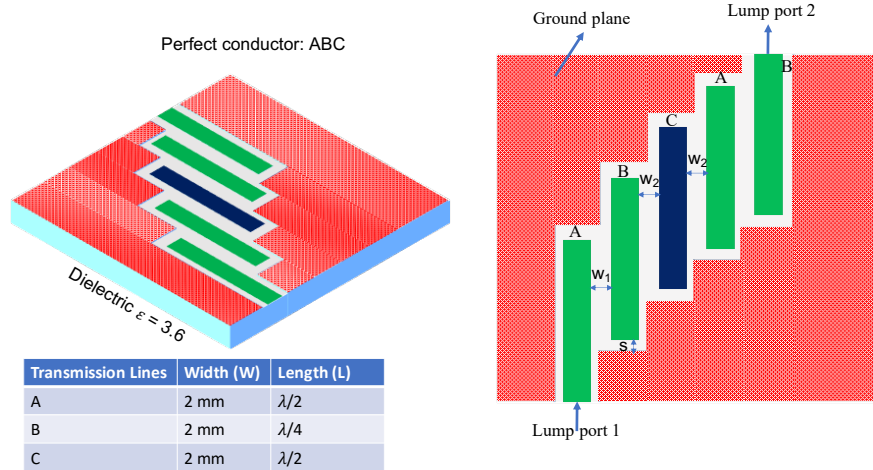


Figure 5: Transmission line (Figure not to scale).

The gap between the transmission line and the ground plane in both direction is $s = \frac{\lambda}{10}$. The gap between transmission lines A&B is $w_1 = \frac{\lambda}{20}$, for both B&C and A&C is $w_2 = \frac{\lambda}{10}$. Simulate for $\lambda = 35$ mm and frequency $f = 8$ GHz. Would you observe a different result if the material for the transmission lines are set to some metal, for eg: Gold?

b. What will be the effect of another ground plane above the transmission lines?

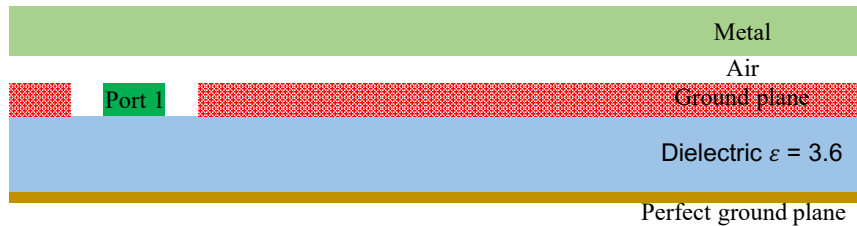


Figure 6: Same structure as above but now, there is a metal layer on top.