

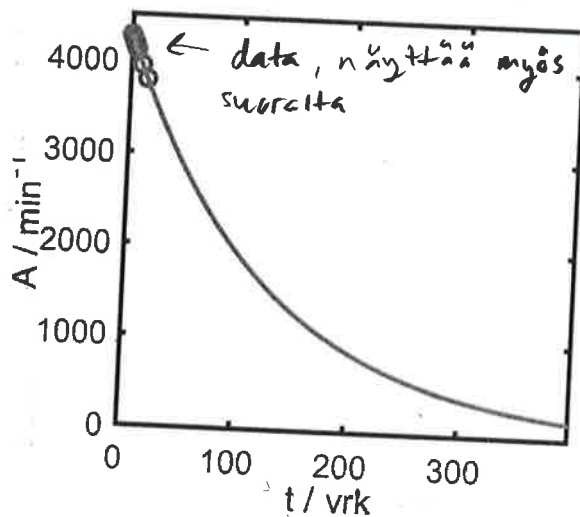
1. Sovitus Matlabin cftoolin avulla $A = A_0 e^{-kt}$

$$k = (0.00796 \pm 0.00002) \text{ vrk}^{-1}$$

$$t_{1/2} = \frac{\ln(2)}{k} \approx 87.1 \text{ vrk}$$

$$t = 60 \text{ vrk} \Rightarrow A = 2654 \text{ min}^{-1}$$

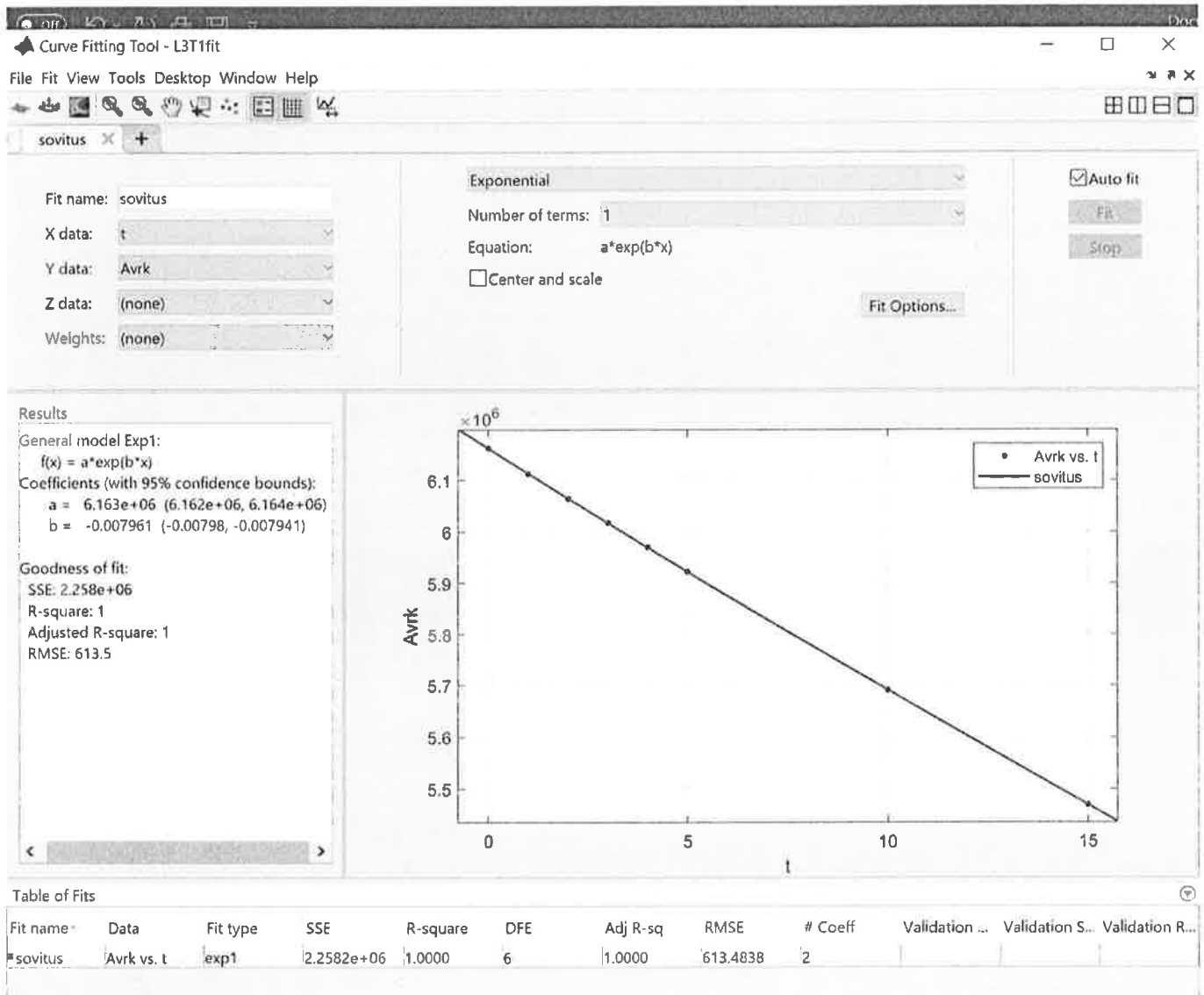
$$t = 1 \text{ vuosi} \Rightarrow A = 234 \text{ min}^{-1}$$



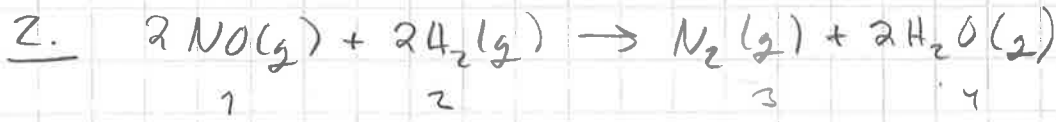
Seuraavalla sivulla Matlab-lasku,

2

```
>> data=[0      1      2      3      4      5      10      15
4280    4245    4212    4179    4146    4113    3952    3798];
>> t=data(1,:);
>> A=data(2,:);
>> Avrk=A*60*24;
>> figure(1),plot(t,Avrk,'o-','linewidth',2),xlabel('t / vrk'),ylabel('A / vrk^{-1}')
>> cftool
```



```
>> T=0:1:400;
>> Afit=A(1)*exp(-0.007961*T);
>> figure(2),plot(t,A,'o',T,Afit,'linewidth',2),xlabel('t / vrk'),ylabel('A / min^{-1}')
>> set(gca,'linewidth',2,'fontsize',12)
```



$$R_0 = k P_{1,0}^\alpha P_{2,0}^\beta$$

$$\frac{R_{0,1}}{R_{0,2}} = \left(\frac{P_{1,1}}{P_{1,2}} \right)^\alpha \Rightarrow \alpha = \frac{\ln(R_{0,1}/R_{0,2})}{\ln(P_{1,1}/P_{1,2})}$$

$$\alpha = \frac{\ln(0.137/0.033)}{\ln(40/20.3)} = 2.0987 \approx \underline{\underline{2}}$$

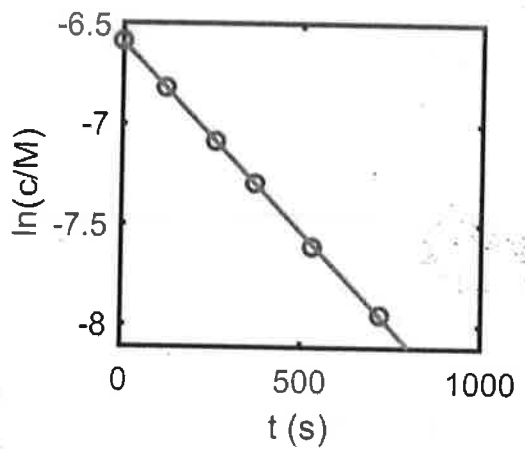
$$\frac{R_{0,3}}{R_{0,4}} = \left(\frac{P_{2,3}}{P_{2,4}} \right)^\beta \Rightarrow \beta = \frac{\ln(0.213/0.105)}{\ln(38.5/19.6)} = 1.0477 \approx \underline{\underline{1}}$$

$$k = \frac{R_0}{P_{1,0}^2 P_{2,0}} \quad \text{sijoitetaan lukuarvot} \Rightarrow k \approx (1.74 \pm 0.22) \cdot 10^{-6} \text{ kPa}^{-2} \text{ s}^{-1}$$

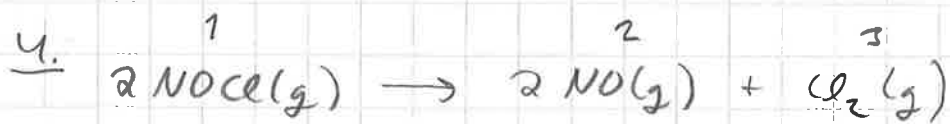
3. Ratkaisu Matlabin avulla. 1, kentaluku sopii hyvin!

```
t=[0 120 260 370 530 720];
c=[1.378 1.091 0.837 0.680 0.496 0.353]*0.001;
figure(1),plot(t,log(c),'o-','linewidth',2)
set(gca,'linewidth',2,'fontsize',12),xlabel('t (s)'),ylabel('ln(c/M)')
y=log(c);
p=polyfit(t,y,1)
= -0.00190 -6.5916
T=0:10:800;
f=polyval(p,T);
figure(1),plot(t,log(c),'o',T,f,'linewidth',2)
set(gca,'linewidth',2,'fontsize',12),xlabel('t (s)'),ylabel('ln(c/M)')
```

$$k = 0.00190 \text{ s}^{-1}$$



$$t_{1/2} = \frac{\ln(2)}{k} \approx 365 \text{ s} = \underline{\underline{6 \text{ min } 5 \text{ s}}}$$



$$v = -\frac{dp_1}{dt} = k p_1^2$$

$$p_i = \frac{n_i RT}{V}$$

$$n_1 = n_0 - 2x$$

$$n_2 = 2x$$

$$n_3 = x$$

$$\left. \begin{array}{l} n_1 = n_0 - 2x \\ n_2 = 2x \\ n_3 = x \end{array} \right\} n_T = n_0 + x = \frac{p_T V}{RT}$$

$$p_T = \frac{(n_0 + x) RT}{V} = p_0 + \frac{x RT}{V}$$

$$\frac{RT}{V} x = p_T - p_0$$

$$p_1 = (n_0 - 2x) \frac{RT}{V} = p_0 - \frac{2x RT}{V} = p_0 - 2(p_T - p_0)$$

$$= \underline{\underline{3p_0 - 2p_T}}$$

$$-\frac{dp_1}{dt} = +2 \frac{dp_T}{dt} = \underline{\underline{k (3p_0 - 2p_T)^2}}$$

$$\underline{\underline{\frac{dp_T}{dt} = k' (3p_0 - 2p_T)^2 = -\frac{1}{2} \frac{dp_1}{dt}}}$$

Jokeri:

(CH₃)₂O hajoaa lämpötilassa 777 K siten, että aika jona alkukonsentraatio alenee 69%:iin alkuperäisestä riippuu alkukonsentraatiosta seuraavasti:

c ₀ (mM)	8.13	6.44	3.10	1.88
t _{0.69} (s)	590	665	900	1140

Etsi reaktion $dc/dt = -kc^n$ kertaluku n ja nopeusvakio k .

$$\left(\frac{[A]}{[A]_0}\right)^{1-n} = 1 + (n-1)[A]_0^{n-1} kt \quad \frac{[A]}{[A]_0} = 0.69$$

$$t_{0.69} = \frac{0.69^{1-n} - 1}{(n-1)[A]_0^{n-1} k}$$

$$\Rightarrow n = 1.5$$

$$k = \frac{0.69^{-0.5} - 1}{0.5 [A]_0^{0.5} t_{0.69}}$$

Arvataan Excelissä
n:n arvo, joka antaa
suoran viivan
Excel-file liitteenä!

[A] ₀ (mM)	t _{0.69} (s)	fit	k (mM ^{-1/2} s ⁻¹)
8.13	590	-0.1188	2.424E-04
6.44	665	-0.1335	2.416E-04
3.10	900	-0.1924	2.573E-04
1.88	1140	-0.247	2.608E-04
			k.a. 2.505E-04
	n: 1.5		std. virhe 9.977E-06

