

High voltage engineering

Overvoltages

- power frequency
- switching surges
- lightning surges

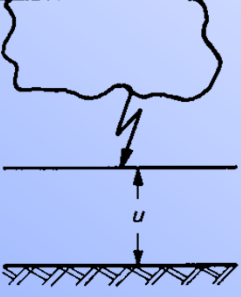
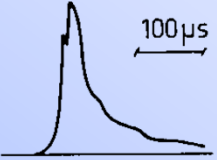
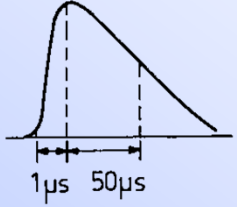
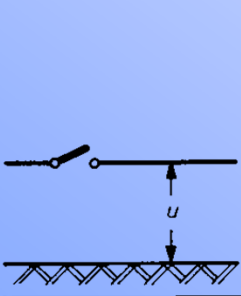
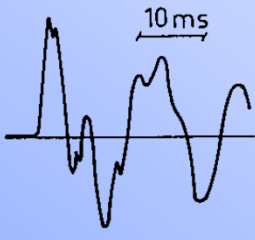
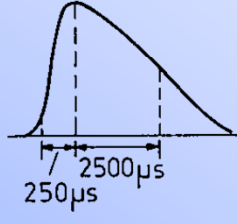
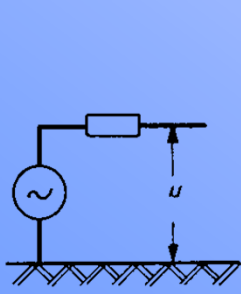
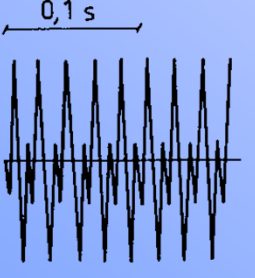
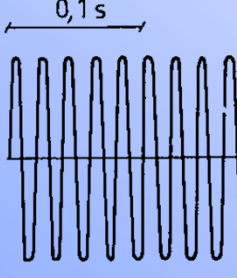
Overvoltage protection

- earth wires
- spark gaps
- surge arresters

Insulation coordination

Overvoltages

- power frequency
 - switching -
 - lightning -
- } Short time
($> U_m\sqrt{2}$)

| | | Ylijännitteen aiheuttaja | Ylijännitteen muoto | Koejännitteen muoto | |
|---------------|---------------|---|--|---|-----------------|
| lyhytaikainen | ilmastollinen |  |  |  | Lightning |
| | kytkentäilmiö |  |  |  | |
| pitkäaikainen | |  |  |  | Power frequency |

Ylijännitelajit

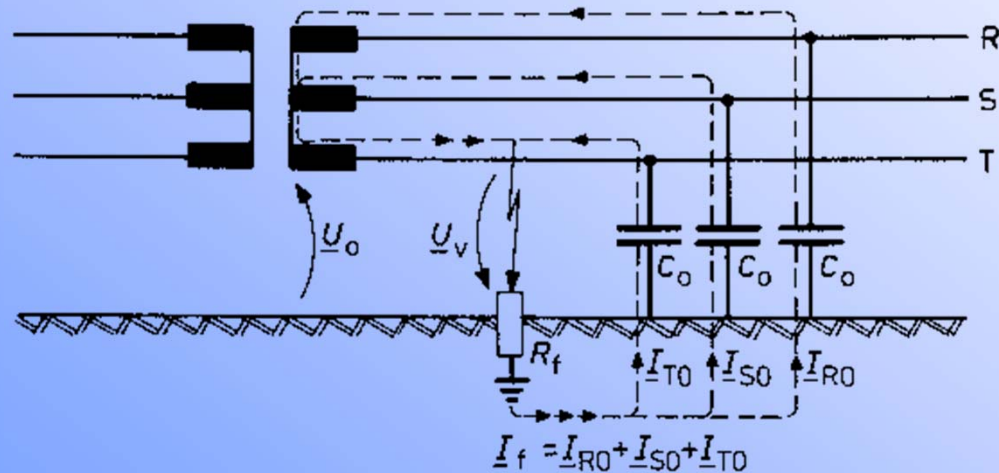
Power frequency overvoltages

- earth faults in unearthed & compensated neutral systems

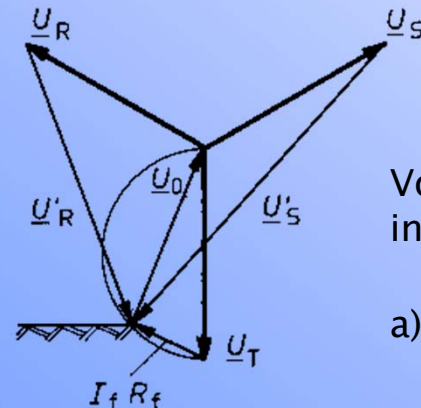
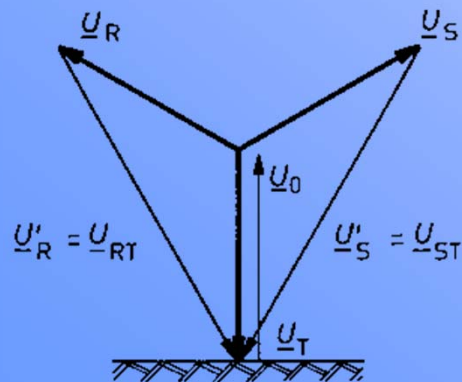
⇒ maximum phase voltage

$$\approx 1,05 \cdot \sqrt{3} U_v$$

U_v is the normal phase voltage



Flow of fault current in an earth fault in unearthed power system.
 U_v = phase voltage before fault.
 R_f = fault resistance.



Voltages during an earth fault in unearthed power system.

a) $R_f = 0$, b) $R_f \neq 0$, $U'_{\max} \approx 1,05 \cdot \sqrt{3} U_v$

Limiting the earth fault voltages

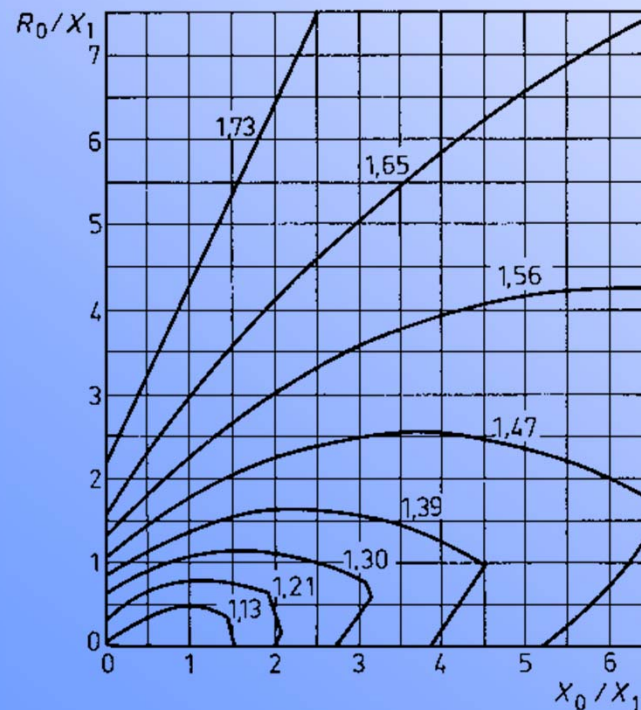
Solid earthing; earth fault factor $k \leq 1,4$

$$k = \frac{U_T}{U_V} = \frac{\text{Highest phase voltage (fault)}}{\text{Normal phase voltage}}$$

$$k \leq 1,4 \quad \text{if}$$

$$\begin{cases} X_0 / X_1 \leq 4,5 \\ R_0 / X_1 \leq 1,0 \end{cases}$$

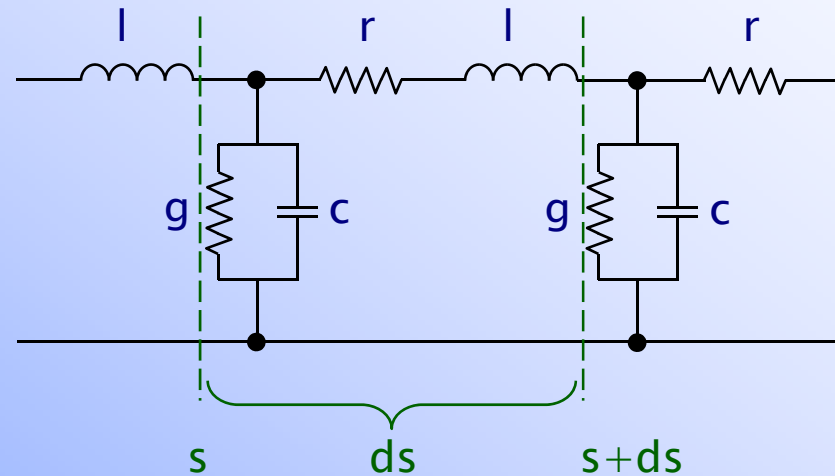
In Finland the 420 kV system is solid earthed



Values of k , when $R_1 = R_2 = 0,1 X_1$

Power frequency overvoltages

Ferranti-phenomenon: in no-load state the voltage of a line rises towards the end



U_2 = voltage in the line end

U_1 = voltage in the line beginning

$$\frac{U_2}{U_1} = \frac{1}{\cos \beta s} \quad ; \quad s = \text{line length}$$

$\beta = \text{phase constant}$

$$\beta = \sqrt{(r + j\omega l)(g + j\omega c)}$$

$$r \ll 1 \quad \& \quad g \ll c$$

$$\Rightarrow \beta \approx \omega \sqrt{lc} = 6^\circ / 100 \text{ km}$$

(regardless the voltage !!!)

Example: s/km U_2/U_1

100 1,006

200 1,022

300 1,05

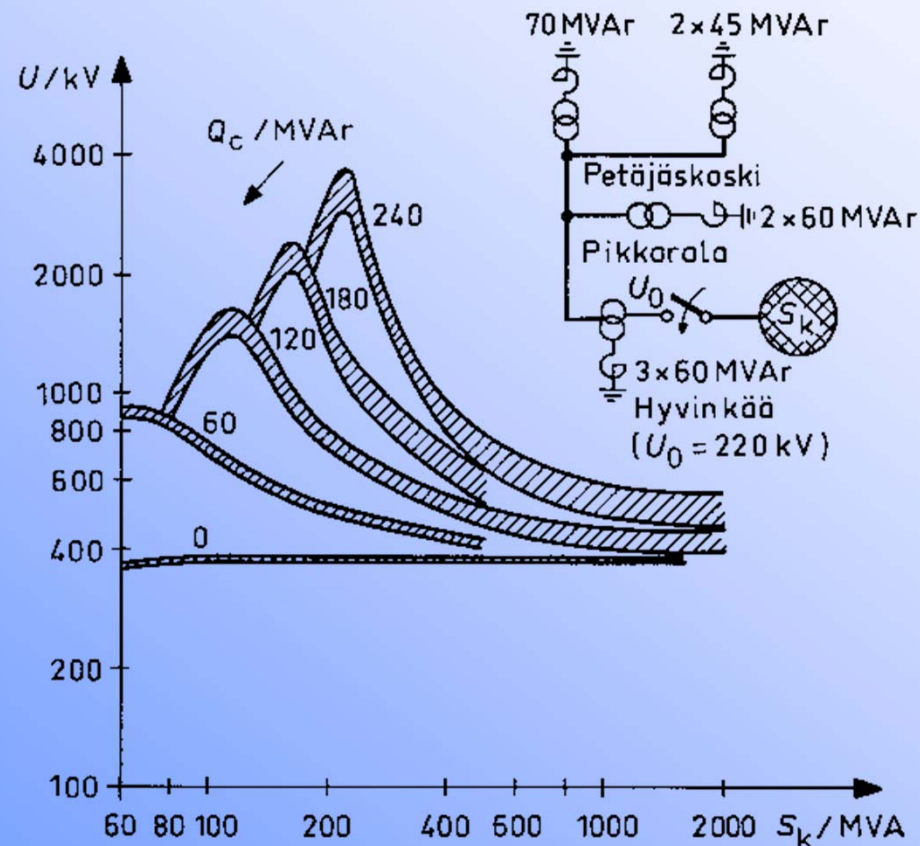
400 1,09

500 1,15

Energising a capacitively loaded network

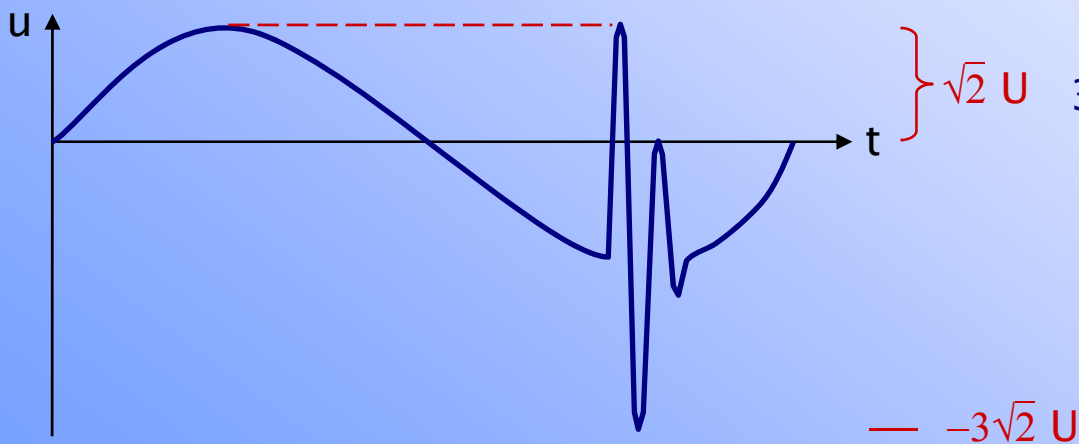
S_k = short circuit power

Q_c = capacitive var production – compensation reactor absorption



420 kV system voltages (U) as a function of feeding point short circuit power (S_k) and undercompensation degree (Q_c).

Switching overvoltages: Interrupting capacitive current



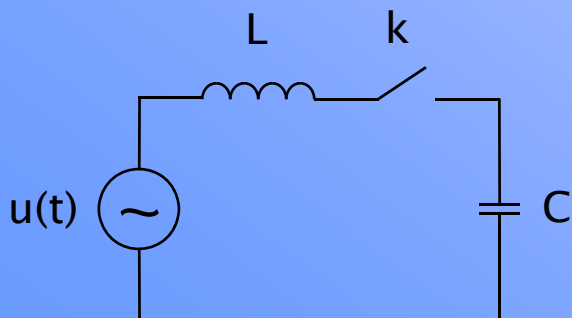
1) current of C is cut off at time t_1 ;
in C it remains a $\sqrt{2}U$ voltage

2) half 50 Hz cycle later the voltage
across k is $2\sqrt{2}U$ (t_2); restriking
with frequency $\omega = 1/\sqrt{LC}$

3) if current interrupted 1. half cycle
later (t_3), voltage in C is $-3\sqrt{2}U$

Means of limitation :

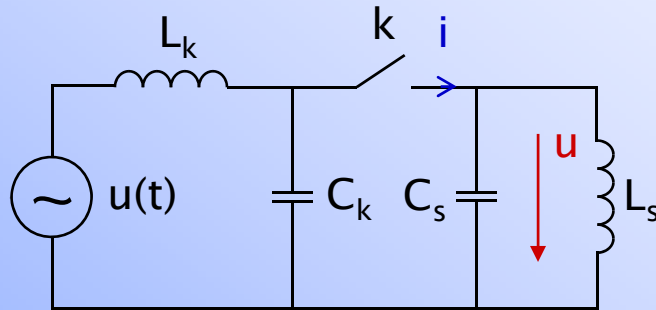
- breaker selection (no restriking)



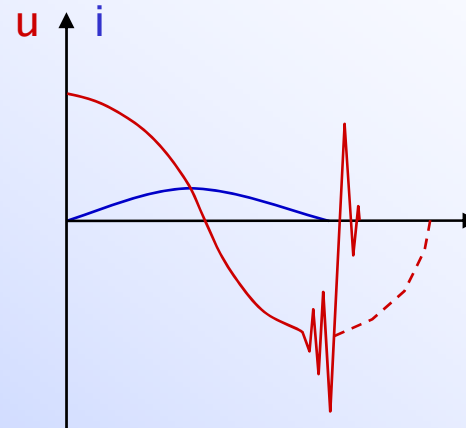
$$u(t) = \sqrt{2} U \sin \omega t$$

$$\left(\omega L \ll \frac{1}{\omega C} \right)$$

Interrupting a small inductive current



$$u(t) = \sqrt{2} U \cos \omega t$$



After interruption the circuit behind k starts to oscillate with frequency:

$$\omega_s = 1/\sqrt{L_s C_s}$$

⇒ **over voltage**

Energy stored in L and C :

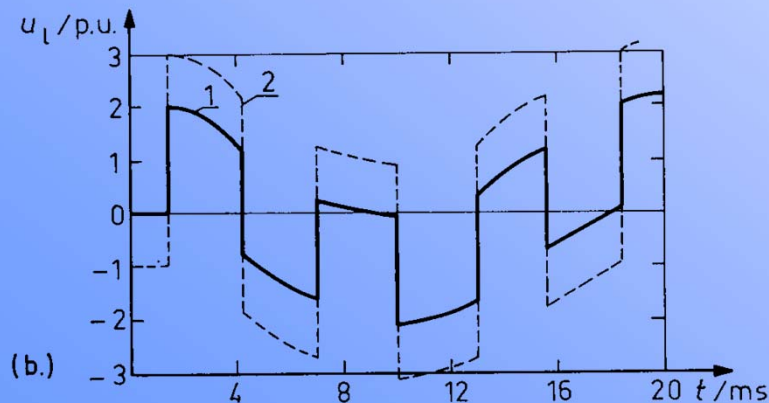
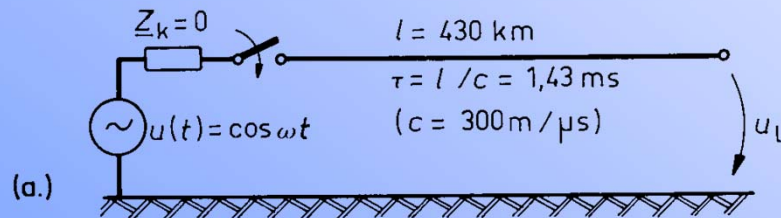
$$W = \frac{1}{2} C_s u_0^2 + \frac{1}{2} L_s i_0^2 = \frac{1}{2} C_s u_{L, \max}^2$$

Means of limitation :

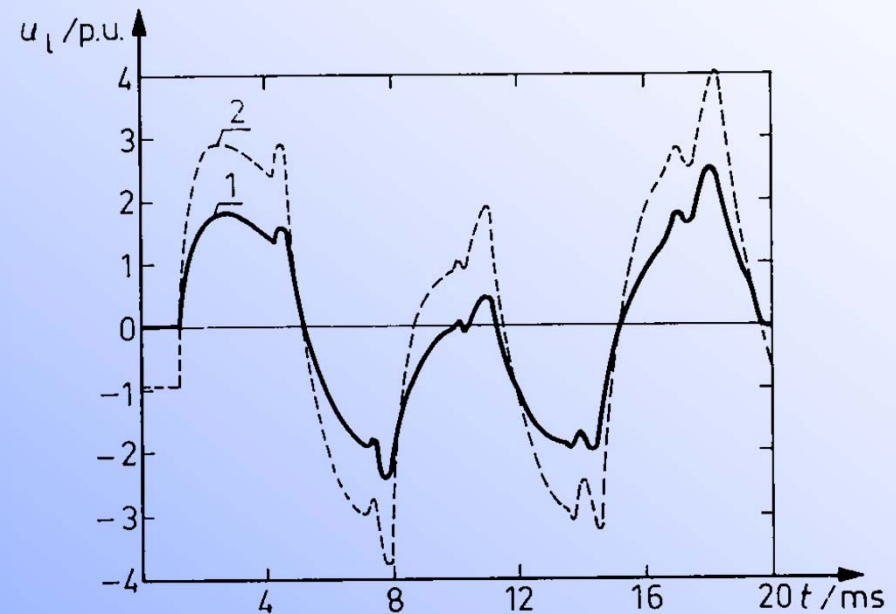
- breaker selection (restriking is Ok)
- opening resistors in CB
- increasing capacitance C_s
- surge arresters

Switching an unloaded line

- Travelling wave phenomenon
- Of importance for lines over 300 kV
- High speed reclosing & residual charge
- Highest overvoltages even 3.5 p.u.
- Mitigation : closing resistors \Rightarrow 2 p.u.



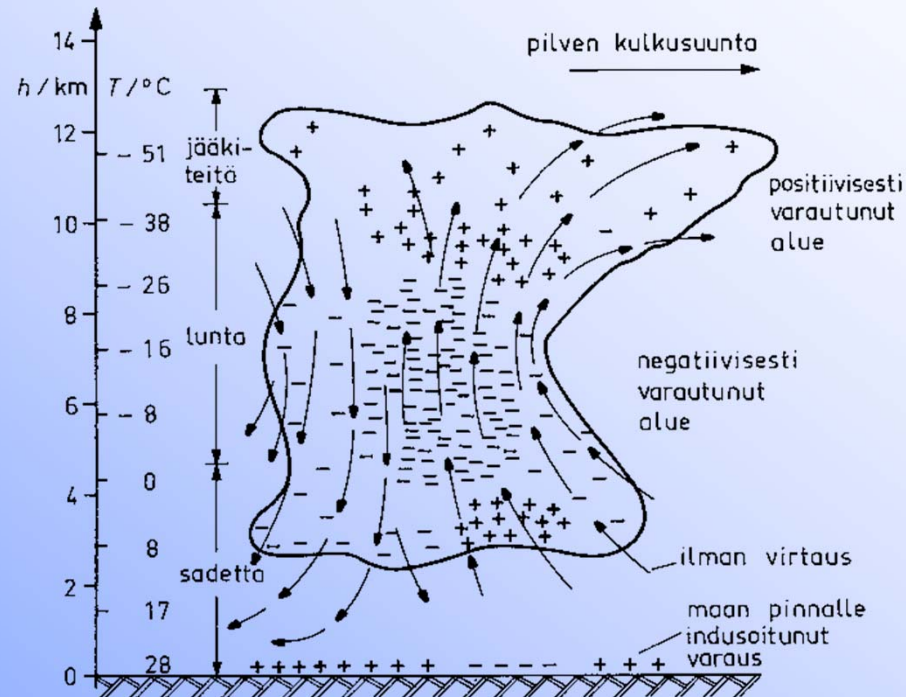
Voltage in line end when switching an unloaded line live
 a) one-line diagram of the circuit,
 b) voltages: graph 1: residual charge = 0
 graph 2: residual charge = -1,0 p.u.



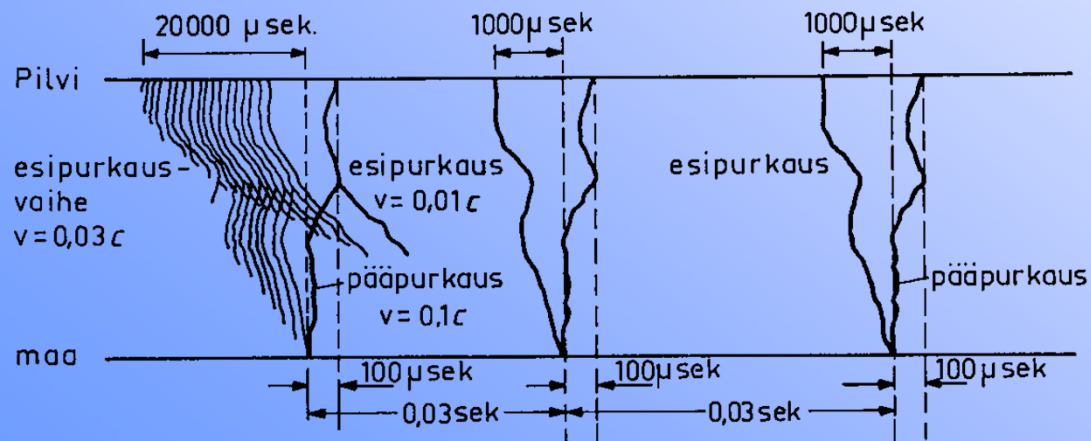
Voltage in line end when switching an unloaded line
 in a strong transmission system.
 graph 1: no residual charge
 graph 2: residual charge -1,0 p.u.

Lightning surges

- thunder cloud and the lightning stroke

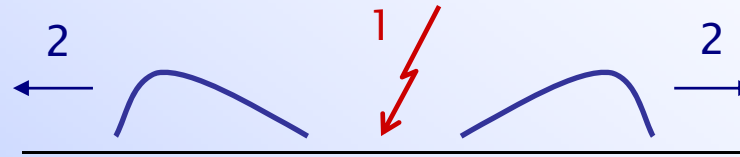


Thunder cloud cross section



Phases of a lightning stroke

Direct stroke to the conductor



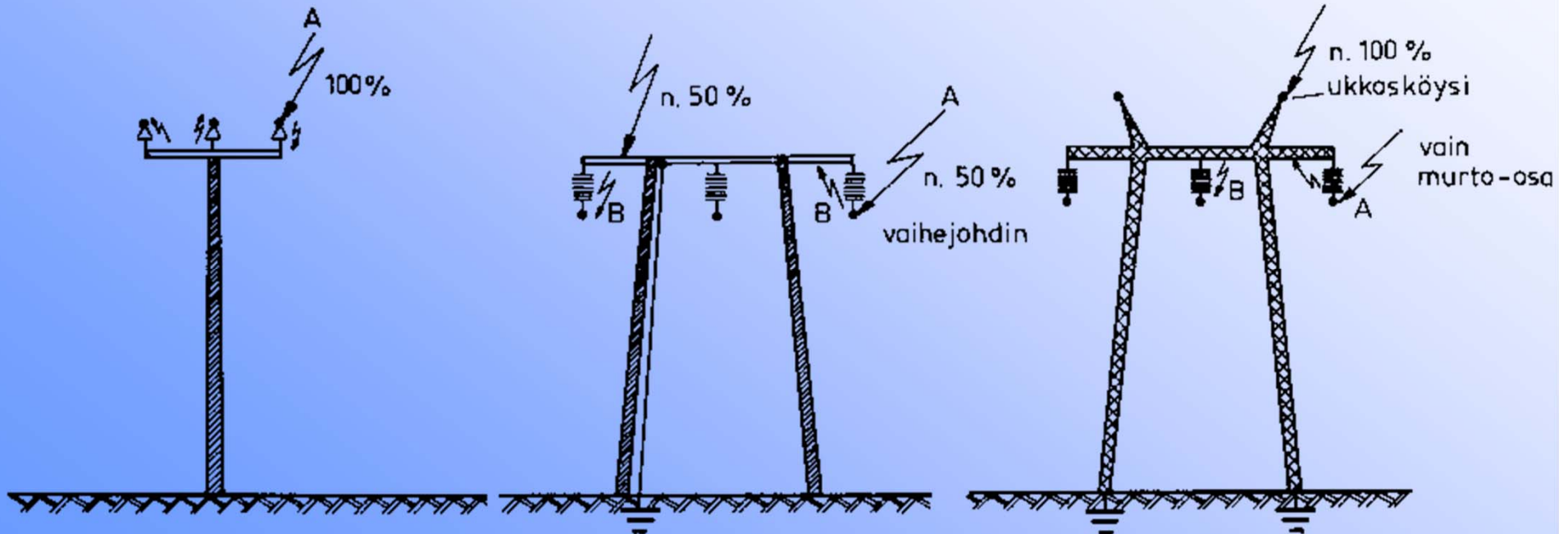
$$u = \frac{1}{2} i Z_0$$

i = lightning current, Ex. 20 kA

Z_0 = surge impedance, Ex. 450 Ω

$\Rightarrow u \approx 4,5$ MV

\Rightarrow always causes flashover



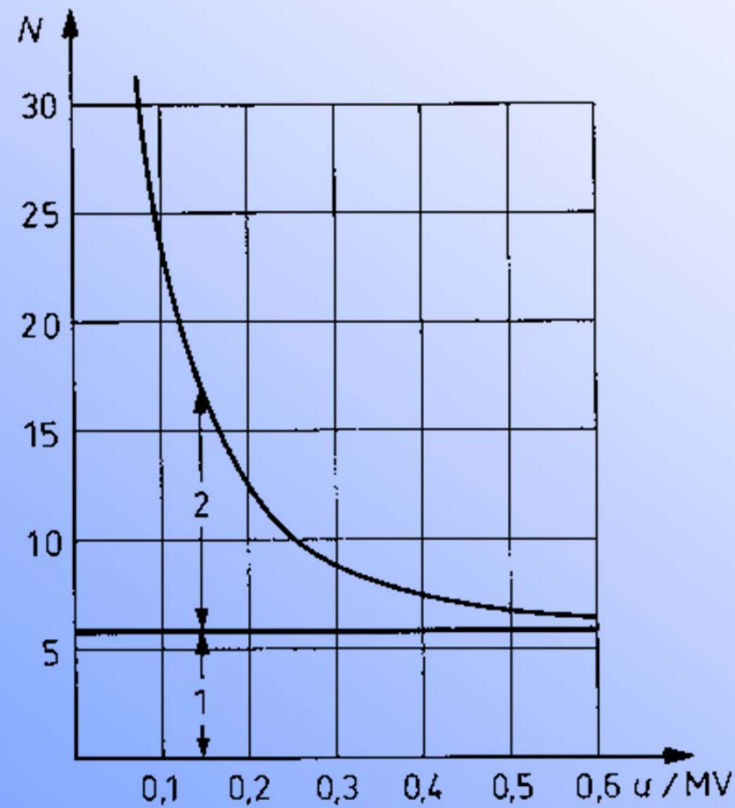
Cross-arm unearthed (wood pole)
Lightning stroke causes 3-ph fault

Cross-arm earthed
Bach flashover

Earthed pole with
shielding wires

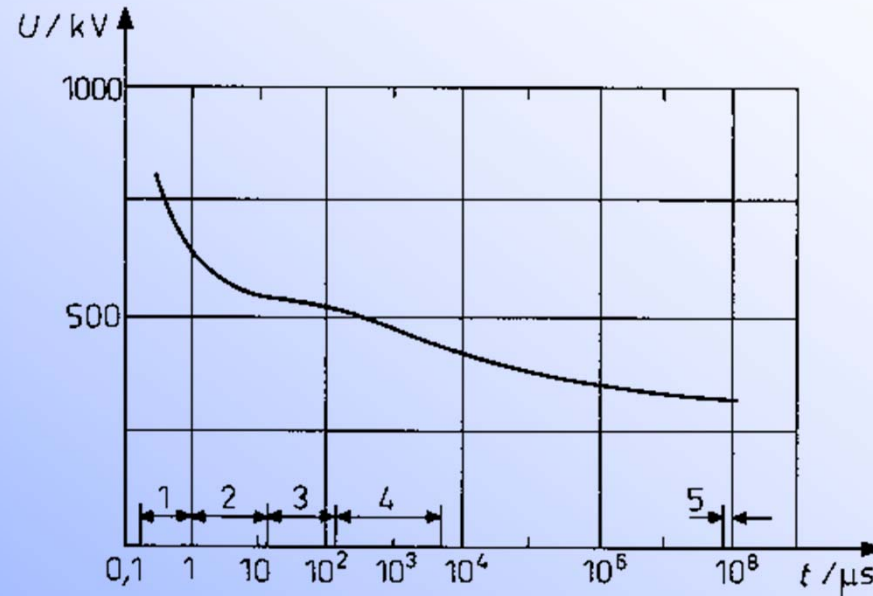
Induced overvoltages

- stroke to the line vicinity
- 3-pole travelling wave created
- $U < 200 \dots 300$ kV
- problem mainly in MV networks



Number of faults / 100 km, yr caused by lightning strokes for lines Without shielding wires. 1 direct strokes, 2 induced overvoltages.

Means for limiting the overvoltages



Voltage withstand curve of a 123 kV transformer. 1: steep surges, 2: slow surges, 3: "short" switching and, 4: "long" switching over voltages, 5: 50 Hz voltage, (1 min)

- circuit breaker selection
- closing / opening resistors
- parallel reactors
- protection capacitors
- shielding wires
- spark gaps
- surge arresters

Shielding wires

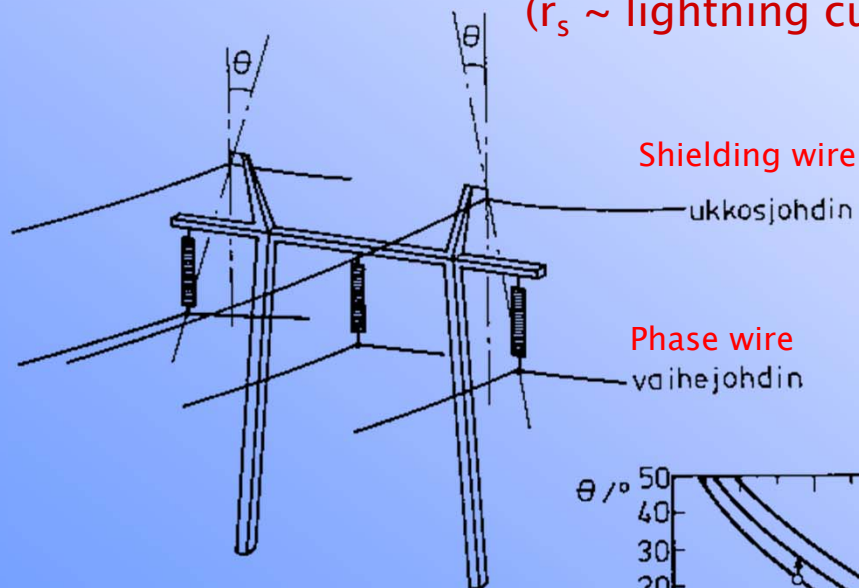
- used for 110 kV, 220 kV, 400 kV lines
- In 110 kV lines the number of lightning faults 7-fold in no shielding wires
- shielding angle θ selected such that the currents with stroke distance higher than r_s can not reach the phase conductors

$(r_s \sim \text{lightning current})$

$$r_s \approx 6,7 i_s^{0,8}$$

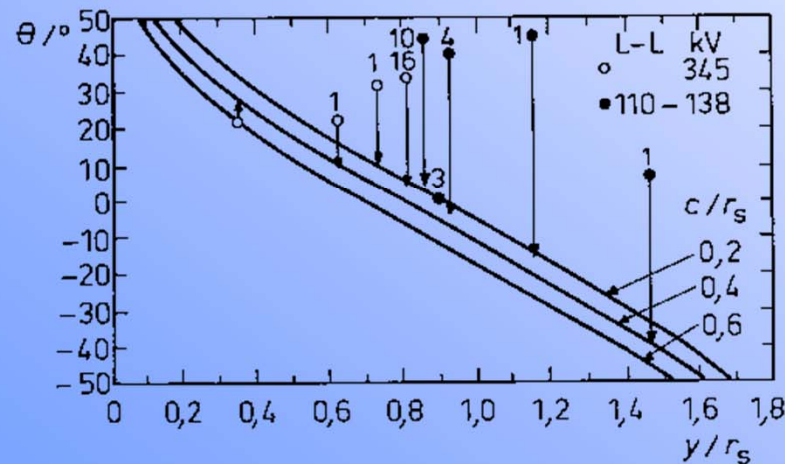
Ex. 20 kA

$\Rightarrow 74 \text{ m}$

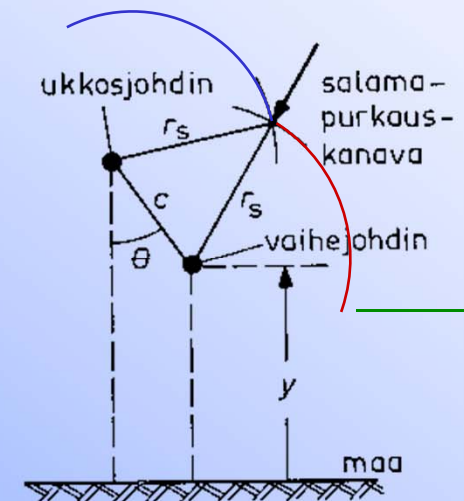


The shielding angle θ

The dependence of shielding angle on the line geometry. $r_s \triangleq$ stroke distance

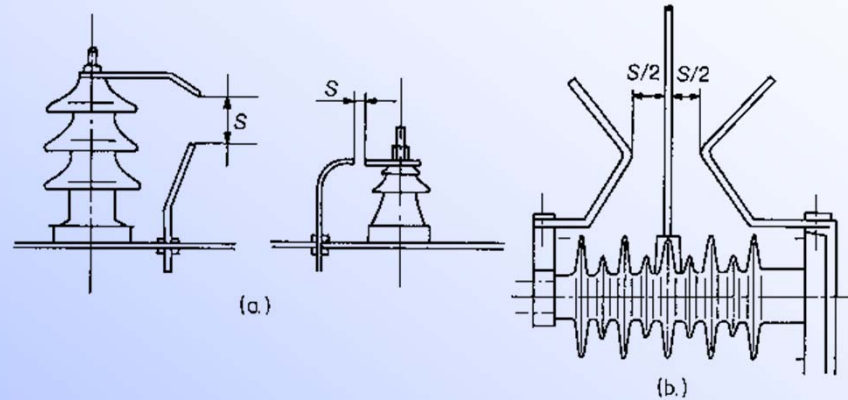


(a.)



(b.)

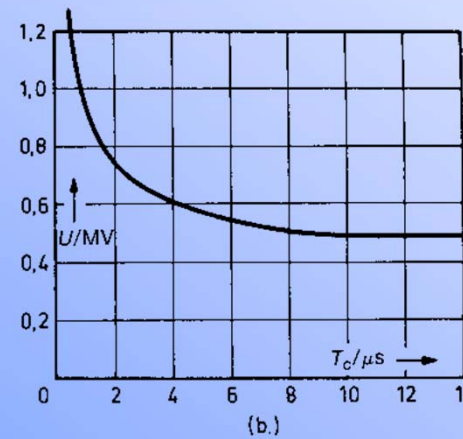
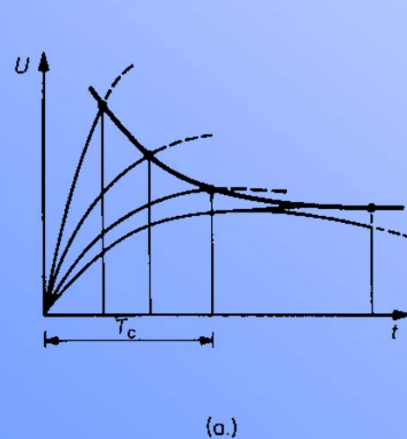
Spark gaps



a: $s=80$ mm or 100 mm
 b: $s=60$ mm or 80 mm

Sparks gaps used for pole mounted secondary transformers

- used for < 200 kVA pole transformers
- operation causes an earth fault \Rightarrow reclosing
- when operates, the surge voltage collapses \Rightarrow transformer must be tested for a cut surge
- large variation in the flashover voltage
- with steep surges, the flashover voltage strongly increased

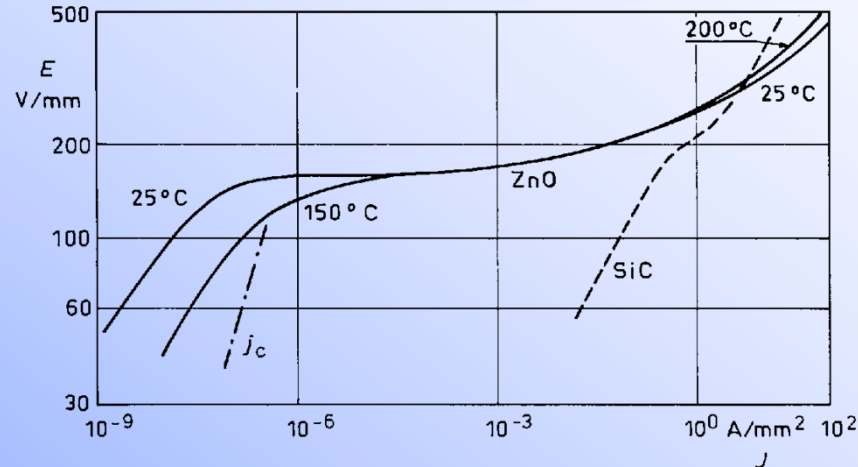


Voltage-time characteristics for lightning surges. a) estimation method, b) results for a 30 inch spark gap (positive polarity)

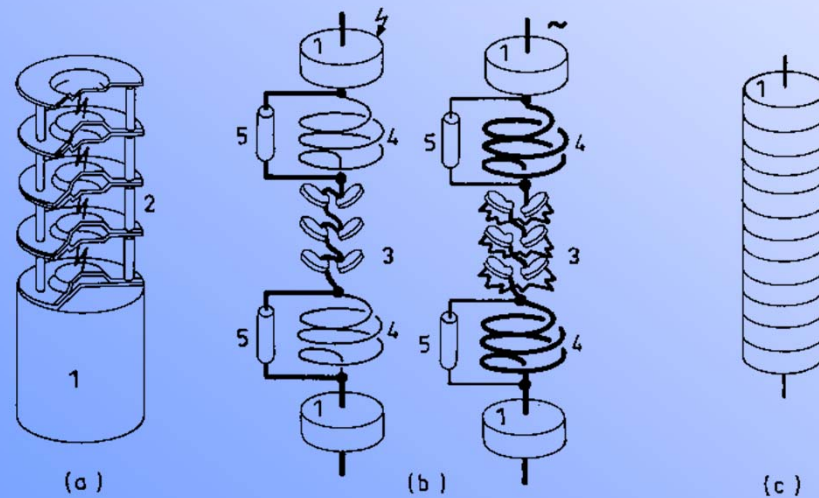
Surge arresters

Two types:

- spark gaps in series with SiC-resistors
- ZnO – surge arresters

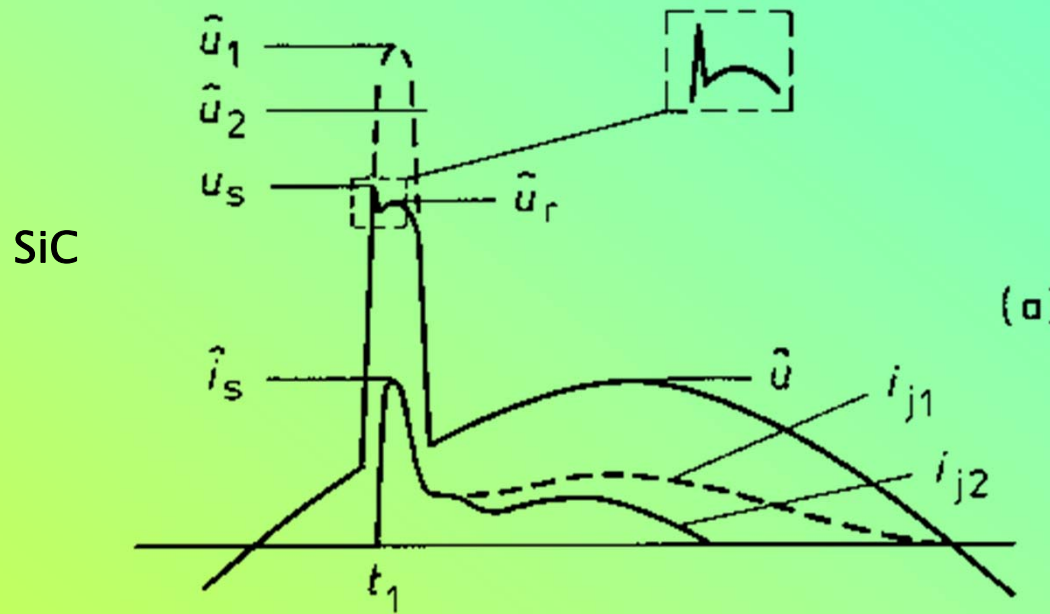


Voltage – current characteristics of SiC and ZnO resistors



Surge arrester types. (a) spark gap type, (b) active spark gap type, (c) ZnO – type.
1 = resistor, 2 = spark gap, 3 = active spark gap, 4 = blowing coil, 5 = by-pass resistor.

The operation of a surge arrester



\hat{u}_1 = peak value of the incoming voltage

\hat{u}_2 = insulation level of the equipment

u_s = break down voltage (SiC only)

\hat{u}_r = remaining voltage of the arrester

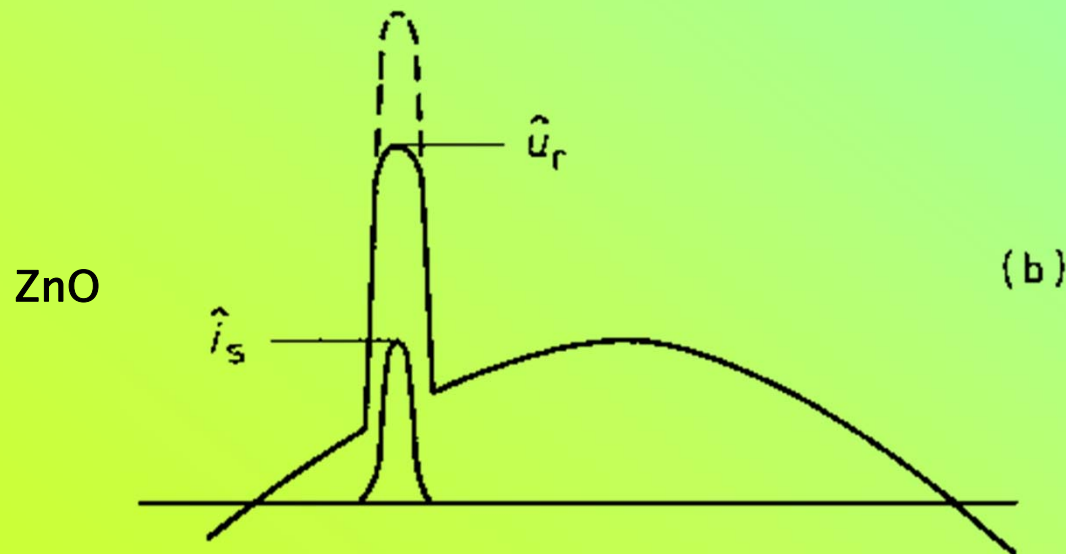
\hat{u} = peak value of 50 Hz voltage

\hat{i}_s = peak value of the surge current

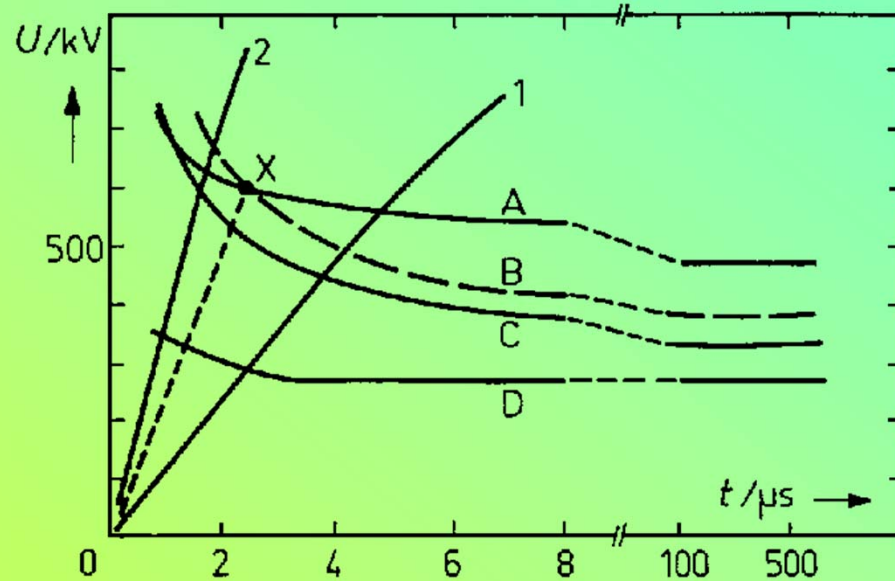
\hat{i}_{j1} = 50 Hz current in the spark gap

\hat{i}_{j2} = 50 Hz current in the active spark gap

t_1 = time of break down

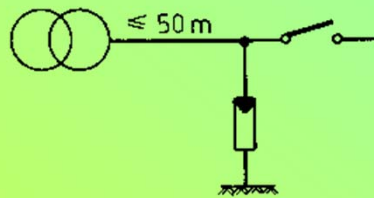
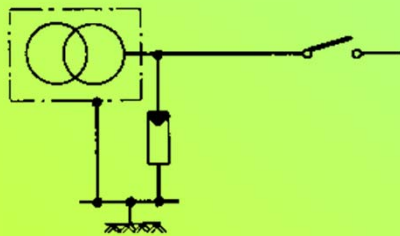


Transformer protection using spark gap or surge arrester



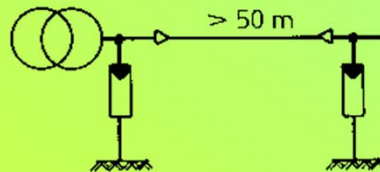
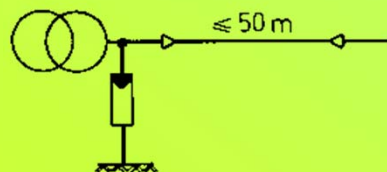
A \triangle a transformer, voltage strength for surges 550 kV, B \triangle spark gap $S = 79 \text{ cm}$, C \triangle spark gap $S = 66 \text{ cm}$, D \triangle surge arrester $U_N = 120 \text{ kV}$, 1, 2 \triangle test voltage crest values

Surge arrester location



a) transformer connected in overhead line
b) transformer connected in underground cable

(a.)



(b.)

Rated data of a surge arrester

Protective level: highest voltage over the surge arrester. Withstand level voltage of the power system equipment must be $1,2 - 1,4 \cdot$ protective level.

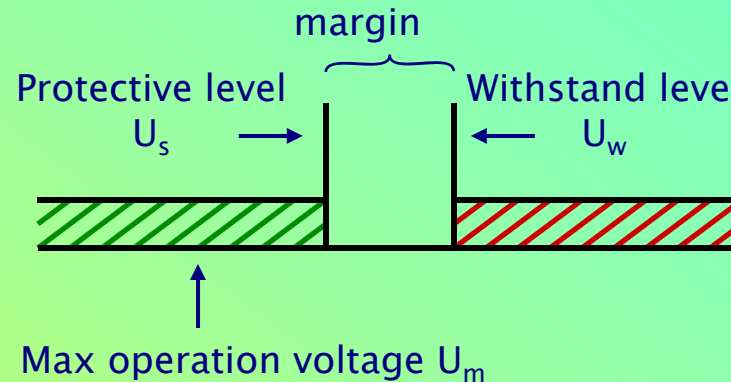
Nominal voltage: highest voltage that the surge arrester can take without break down. Must be 5...10 % higher than maximum expected operation voltage of the power system considered.

Nominal discharge current: current surge amplitude, that corresponds to the protective level. Standard values: 20, 10, 5, 2.5 kA

Rated current: the capacity to discharge energy

Insulation coordination

Fitting the insulation level and the protective level together



U_w vs. U_m

$U_w =$ withstand level =

margin

- lightning surges 1.2 – 1.4
- switching overvoltages 1.1 – 1.2

- the ratio of protective level and operation voltage
 - in conventional surge arresters about 2.4
- margin for surge arrester operation 10 %
- earth fault factor k
- highest normal operation voltage as phase voltage

Example. Unearthed system $U_m = 24$ kV

- earth fault factor $k = 1.05 \cdot \sqrt{3} \approx 1.82$
- margin for surge arrester operation 1.1
- protective level / operation voltage 2.4
- margin between insulation level
and protection level 1.4

Insulation withstand level:

$$U_w = 1.82 \cdot 1.1 \cdot 2.4 \cdot 1.4 \frac{U_m}{\sqrt{3}}$$
$$= 93.2 \text{ kV}$$

(Std IEC-71: 95 kV)

Example: Solid earthed system $U_m = 420$ kV

- earth fault factor $k = 1.4$
- margin for surge arrester operation 10 %
- protection level / operation voltage 2.4
- margin between insulation level
and protection level 1.2

Insulation withstand voltage:

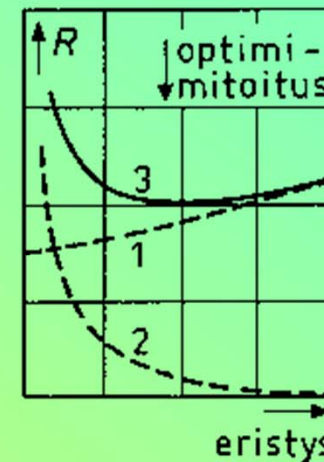
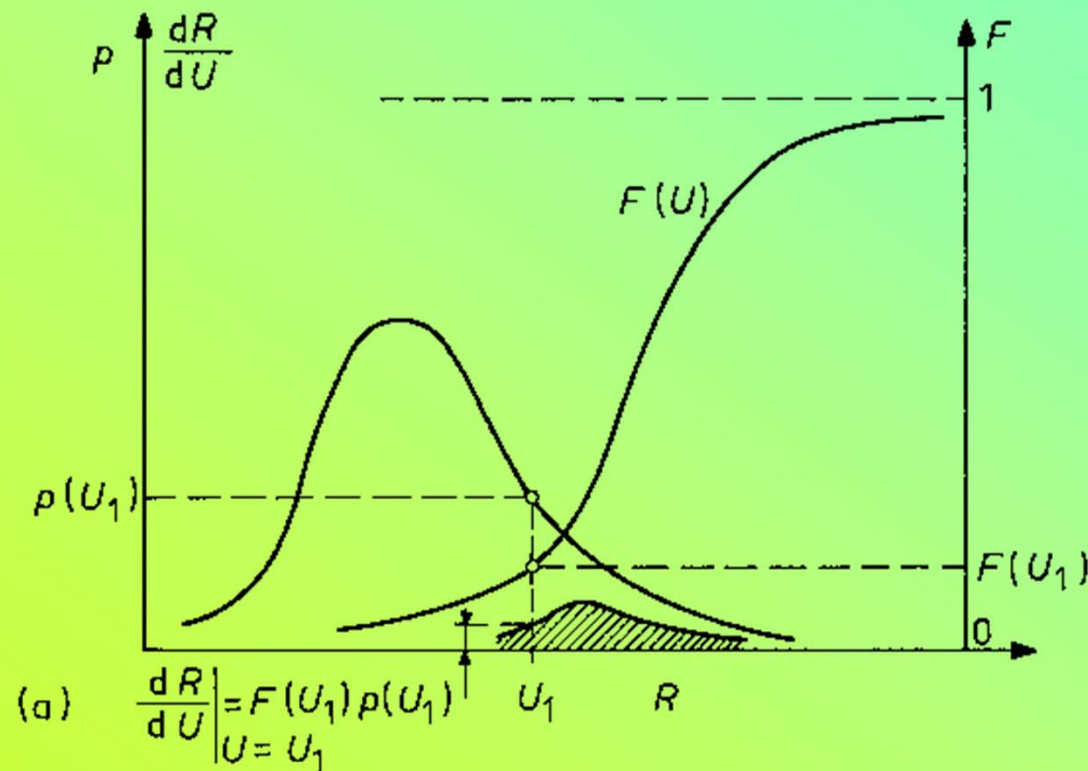
$$U_w = 1.4 \cdot 1.1 \cdot 2.4 \cdot 1.2 \frac{U_m}{\sqrt{3}}$$
$$= 1075 \text{ kV}$$

(Std IEC-71: 1050 kV tai 1175 kV)

Statistical methods

$$\text{Failure risk : } R = \int_{U_{\min}}^{U_{\max}} p(U) F(U) dU$$

- $p(U)$ is the distribution of the voltage stresses
- $F(U)$ is the probability function of insulation strength



- (b) 1 $\hat{=}$ eristyskust.
 2 $\hat{=}$ vaurioitumiskust.
 3 $\hat{=}$ kokonaiskust.

Statistical insulation coordination.

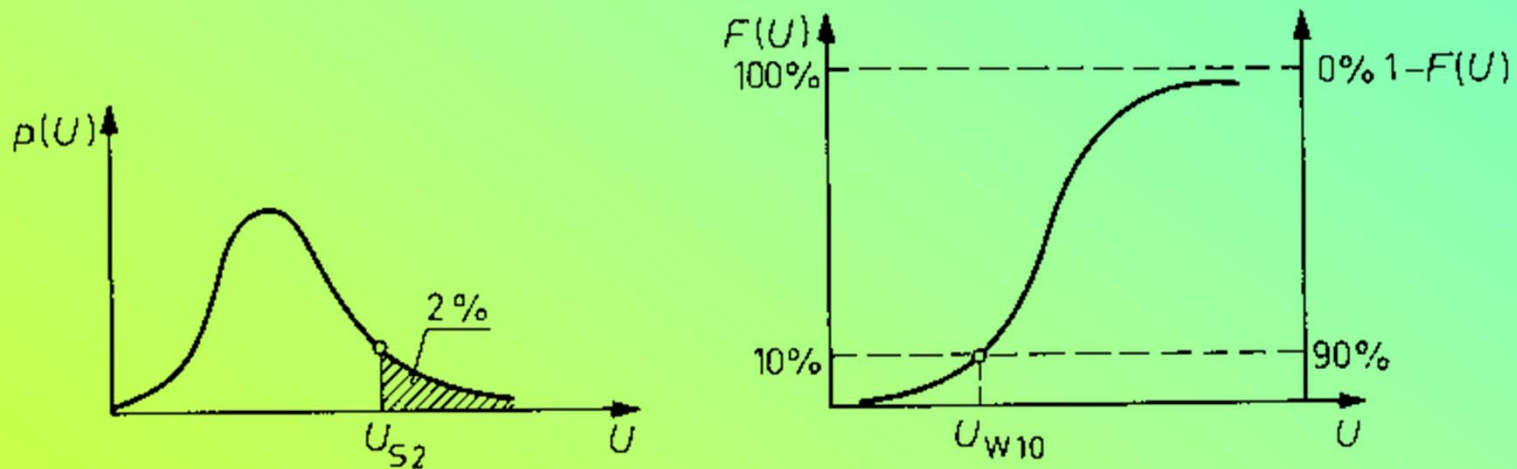
a) the risk of failure, b) the minimum of costs

1 = insulation costs, 2 = failure costs, 3 = total costs

Statistical safety factor γ

$$\gamma = \frac{U_{W10}}{U_{S2}}$$

- U_{W10} is the voltage level with a 10 % break down probability
- U_{S2} is the voltage stress having a 2 % exceeding probability



The definition of the variables in statistical safety factor definition