

# FILTRATION

\_\_\_ / \_\_\_ 200\_\_  
Work done

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Made by

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Student number

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## MARKINGS:

Given in: \_\_\_ / \_\_\_ 200\_\_ \_\_\_

Examined: \_\_\_ / \_\_\_ 200\_\_ \_\_\_ **RET / PASS**

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Passed: \_\_\_ / \_\_\_ 200\_\_ \_\_\_

## 1. GENERAL

In this work constant-pressure filtration is studied. Filter cake and filter media resistance is calculated. Pressure effect is also studied by calculating specific cake resistance and compressibility of cake.

## 2. MEASURING DATA

Filter media resistance and filtration measurements are represented in appendix 1. Total area of filter cake is:

$$A =$$

## 3. CONCENTRATION OF SOLID IN FEED

Measurements to determine concentration of solid in feed are represented in Appendix 2. The concentration of solid in feed can be calculated following (sample 1 as an example):

$$w_1 =$$

The concentration of solid in feed is:

## 4. RESISTANCES

The basic equation of filtration is:

$$\Delta p = \left( \frac{\alpha c V}{A} + R_{sv} \right) \frac{dV/dt}{A} \eta \quad (1)$$

Eq. (1) can be written:

$$\frac{dt}{dV} = \frac{\alpha c \eta}{\Delta p A^2} V + \frac{\eta R_{sv}}{\Delta p A} = KV + B \quad (2)$$

Integration of Eq. (2) gives:

$$\frac{t}{V} = \frac{K}{2} V + B \quad (3)$$

Which is a basic equation of constant-pressure filtration, where:

$$K = \frac{\alpha c \eta}{\Delta p A^2} \quad B = \frac{\eta R_{sv}}{\Delta p A} \quad (4)$$

and where assumptions are:

- constant concentration of solid in feed
- constant density
- $K$  and  $B$  constants

Thus a plot  $t/V$  versus  $V$  will be linear, with a slope equal to  $K/2$ , where cake resistance ( $\alpha$ ) can be calculated, and an intercept of  $B$  from which filter medium resistance ( $R_{SV}$ ) can be determined.

Plots  $t/V = f(V)$  to every filtration experiment are shown in Appendix \_\_\_\_\_.

| <b>Filtration #</b> | $\Delta p$<br>mH <sub>2</sub> O | $K/2$ | $B$ |
|---------------------|---------------------------------|-------|-----|
| <b>1</b>            |                                 |       |     |
| <b>2</b>            |                                 |       |     |
| <b>3</b>            |                                 |       |     |
| <b>4</b>            |                                 |       |     |

From such plots the values of  $\alpha$  and  $R_{SV}$  can be calculated using equations:

$$\alpha =$$

$$R_{SV} =$$

Values (filtration 1):

$$\alpha_1 =$$

$$R_{SV,1} =$$

Cake resistance and filter medium resistance are

| <b>Filtration#</b> | $\Delta p$<br>mH <sub>2</sub> O | $\alpha$ | $R_{SV}$ |
|--------------------|---------------------------------|----------|----------|
| <b>1</b>           |                                 |          |          |
| <b>2</b>           |                                 |          |          |
| <b>3</b>           |                                 |          |          |
| <b>4</b>           |                                 |          |          |

## 5. FILTER MEDIUM RESISTANCE MEASUREMENTS

When the feed is not containing solids, filter cake is not formed. From Eq. (1):

$$\Delta p = R_{sv} \frac{dV/dt}{A} \eta \quad (5)$$

Eq. (5) can be written:

$$\frac{dt}{dV} = \frac{\eta R_{sv}}{\Delta p A} = B \quad (6)$$

Integration of Eq. (6) gives:

$$\frac{t}{V} = B \quad (7)$$

and where assumptions are:

- constant concentration of solid in feed
- constant density
- $K$  and  $B$  constants

Thus a plot  $t/V$  versus  $V$  will be linear. A plot  $t/V = f(V)$  for determine filter medium resistance is shown in Appendix \_\_\_\_\_. From the plot value of  $B = \underline{\hspace{2cm}}$  can be determined.

Filter media resistance  $R_{sv}$  is:

## 6. PRESSURE EFFECT

Specific cake resistance dependence on pressure can be defined as follows:

$$\alpha = \alpha_0 (\Delta p)^S \quad (8)$$

where parameter  $\alpha_0$  is constant specific cake resistance and  $S$  is compressibility of cake. Eq. (8) can be written:

$$\log(\alpha) = \log(\alpha_0) + S \log(\Delta p) \quad (9)$$

If constant specific cake resistance follows Eq. (8), a plot of Eq. (9) is linear from which specific cake resistance and compressibility of cake can be determined. A plot of Eq. (9) is shown in Appendix \_\_\_\_\_.

From the plot

$$\log(\alpha_0) =$$

$$\alpha_0 =$$

$$S =$$

## **7. INCORRECT ESTIMATE AND CONCLUSIONS**

## **8. APPENCIES**



**Calculating mass fractions**

Mass fraction of dried matter in feed.

| <b>sample #</b> | <b>m1<br/>g</b> | <b>m2<br/>g</b> | <b>m3<br/>g</b> | <b>m3 - m1<br/>g</b> | <b>m2 - m3<br/>g</b> | <b>w</b> |
|-----------------|-----------------|-----------------|-----------------|----------------------|----------------------|----------|
| <b>1</b>        |                 |                 |                 |                      |                      |          |
| <b>2</b>        |                 |                 |                 |                      |                      |          |
| <b>3</b>        |                 |                 |                 |                      |                      |          |
|                 |                 |                 |                 |                      | <b>average</b>       |          |

m<sub>1</sub> = evaporating dishm<sub>2</sub> = evaporating dish+ suspensionm<sub>3</sub> = evaporating dish+ evaporation residue