

ELEC-E8421 - Power Electronics Components

Exercise 1 - Solutions

September 13, 2020

1 Diodes to be considered

1.a Bolt Type

IR: 130 HF 120 PV (1200 V, 130 A @ $T_C = 125$ °C)

But, following parts should also be considered

85 HF 120 (1200 V, 85 A @ $T_C = 140$ °C)

88 HF 120 (1200 V, 85 A @ $T_C = 140$ °C)

Given that T_C can be cooled under 140 °C, thus increasing maximum I_{FAV}

1.b Modules

IR: T85HF120 (1200 V, 85 A @ $T_C = 85$ °C)

T85HF120 (1200 V, 85 A @ $T_C = 85$ °C)

IRKD 91/12 etc. (1200 V, 100 A @ $T_C = 100$ °C)

SEMIKRON: SKKD 100 (400 .. 1800 V, 100 A @ $T_C = 85$ °C)

(SKMD 100 same, but module has different internal connections)

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Datasheet contains part of figure: Fig.1L & Fig.1R

using these two figures constant current I_D can be directly determined.

In Fig.1R there is a parameter $R_{th(c-a)}$ meaning thermal resistance from case to heatsink surface.

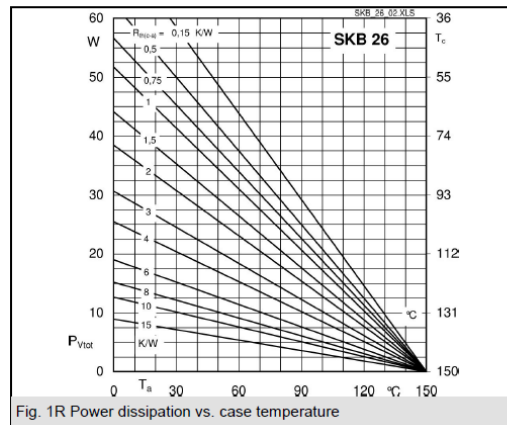
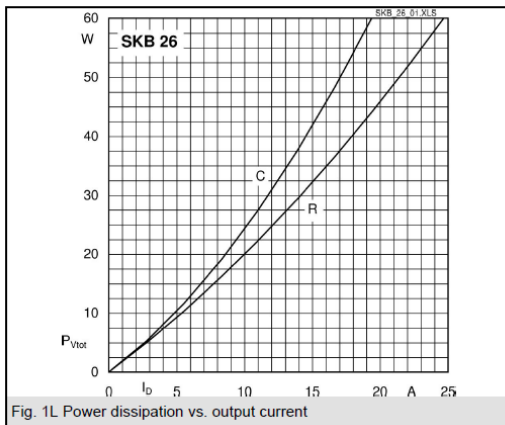
$$R_{th(c-a)} = R_{th(c-s)} + R_{th(s-a)}$$

This datasheet gives numeric values

$R_{th(c-s)} = 0.15 \text{ K/W}$ and exercise paper gives $R_{th(s-a)} = 5 \text{ K/W}$.

Therefore $R_{th(c-a)} = 5.15 \text{ K/W}$

Fig. 1R shows that reading around 5.15 K/W and 65 °C is difficult due to unlinear behaviour. Therefore to be sure we should read the values from C-curve when $R_{th(c-a)} = 3, 4, 6 \text{ \& } 8 \text{ K/W}$. (C-curve corresponds to capacitive DC-filtering).



$R_{th(c-a)}$	I_D / A
3	7.7
4	6.7
6	5.2
8	4.3

This is then plotted and interpolated. In exams direct reading from the graph is also allowed.

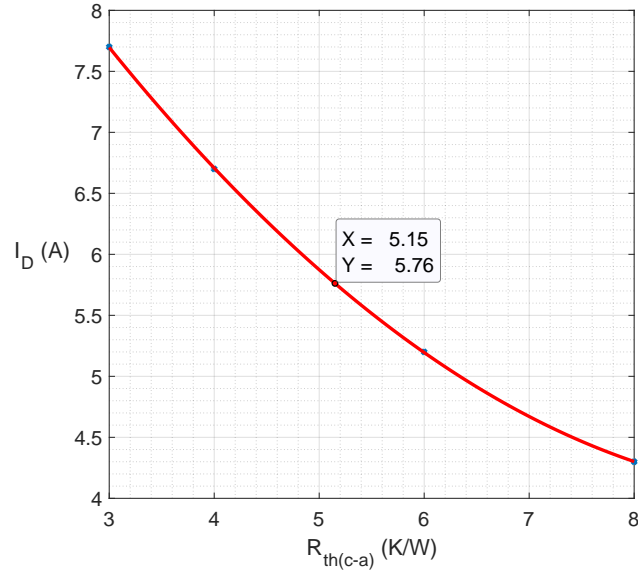


Figure 1: From the curve: $I_D \approx 5.8$ A

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3.a

Circuit differential equation:

$$E = L \frac{di}{dt}$$

$$\frac{di}{dt} = \frac{E}{L} = \frac{1500 \text{ V}}{10 \mu\text{H}} = 150 \frac{\text{A}}{\mu\text{s}}$$

From datasheet figure 7 we get $I_{RRM} \approx 255$ A Figure 8 curves gives $Q_{RR} = 495 \mu\text{C}$ Book equation (3.13):

$$t_{RR} = \frac{2Q_{RR}}{I_{RRM}} = \frac{2 \cdot 495 \mu\text{As}}{255 \text{ A}} \approx 3.88 \mu\text{s}$$

3.b

When reverse recovery current switches off, voltage is seen over the inductor

$$U_L = L \frac{di}{dt}$$

Book equation (3.11) gives recovery delay t_A

$$t_A = \frac{I_{RRM}}{di/dt} = \frac{255 \text{ A}}{150 \text{ A}/\mu\text{s}} \approx 1.7 \mu\text{s}$$

$t_{RR} = t_A + t_B$, so damping time

$$t_B = t_{RR} - t_A = 3.88 \mu\text{s} - 1.7 \mu\text{s} \approx 2.18 \mu\text{s}$$

Book equation (3.2)

$$\frac{di}{dt} = \frac{I_{RRM}}{t_B} = \frac{255 \text{ A}}{2.18 \mu s} \approx 117 \text{ A}/\mu s$$

Therefore the voltage over inductor during transition

$$U_L = \frac{di}{dt} \cdot L = 117 \text{ A}/\mu s \cdot 10 \mu H = 1170 \text{ V}$$

Diode voltage stress is then

$$U_{max} = E + U_L = 1500 \text{ V} + 1170 \text{ V} = 2670 \text{ V}$$

As can be seen from the datasheet, the diode 5SDF05D2505 blocking voltage rating a measly 2500 V, so it is possible that the diode is destroyed from overvoltage.

Note, that datasheet gives $U_{DC} = 1500 \text{ V}$ is the voltage rating for steady state blocking voltage due to cosmic radiation caused avalanche breakdown

Not only for over voltage, but also for limiting the voltage du/dt a protection is needed. For example a GTO thyristor next to the diode might not be able to handle as high of a du/dt values as the diode. Manufacturers assumes typical protection snubber capacitor to be 2 μF . Protection snubber also limits the radio interferences.