

# 31C01300 Energy & Environmental Economics

## Lecture 2: Policy Instruments

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Spring 2016

# The environmental policy problem

## 1. The optimal policy

What is the allocation of pollution that maximizes net benefits?

- ▶ How to measure benefits of environmental protection?
- ▶ How to measure cost?
- ▶ What is the optimal protection level?

## 2. The cost efficient policy

- ▶ How to achieve a given goal with minimum costs?
- ▶ Much of the economic analysis focuses on this question, largely because measuring benefits is difficult

# Costs and benefits of SO<sub>2</sub> reductions:

*Table 1*

**Estimated Annual US Benefits and Costs of  
the SO<sub>2</sub> Allowance Trading Program; Title IV,  
Clean Air Amendments of 1990**

*(billions of US 2000 Dollars)*

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<b>Benefits</b>	
Mortality	50–100
Morbidity	3–7
Recreational visibility	2–3
Residential visibility	2–3
Ecosystem effects	0.5
<b>Total</b>	<b>59–116</b>
<b>Costs</b>	<b>0.5–2.0</b>
<b>Net benefits</b>	<b>58–114</b>

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*Source:* Burtraw, Krupnick, Mansur, Austin, and Farrell (1998); Burtraw (1999); Chestnut and Mills (2005); Banzhaf, Burtraw, Evans, and Krupnick (2006).

**Figure:** See Stavings and Schmalensee in the readings folder

# The optimal policy

To fix ideas:

- ▶  $i \in \mathcal{I} = \{1, \dots, N\}$ , set of agents
- ▶  $a_i$ , abatement by each source
- ▶  $B_i(a_1, a_2, \dots, a_N)$ , benefits for  $i$
- ▶  $C_i(a_i)$ , cost of abatement

The policy problem is to choose abatements such that the total gains are maximized:

$$\max_{\{a_1, \dots, a_N\}} \sum_{i=1}^N B_i(a_1, \dots, a_N) - C_i(a_i)$$

# The optimal policy

Marginal cost,  $\frac{\partial C_i(a_i)}{\partial a_i}$ , should equal the marginal gain,

$$\frac{\partial C_i(a_i)}{\partial a_i} = \sum_{i=1}^N \frac{\partial B_i(a_1, \dots, a_N)}{\partial a_i}$$

Often the gains depend on the sum of actions so that  $B_i(a_1, \dots, a_N) = B(a_1 + \dots + a_N)$  and

$$\frac{\partial C_1(a_1)}{\partial a_1} = \dots = \frac{\partial C_N(a_N)}{\partial a_N} = NB'(a_1 + \dots + a_N)$$

**Cost efficiency:** marginal abatement cost (MAC) should be equalized across agents.

## The efficient policy: taxes

- ▶  $\tau$ , tax per unit of pollution
- ▶  $u_i$ , unrestricted pollution by source  $i$
- ▶  $u_i - a_i$ , pollution after abatement

Firm  $i$  problem is to minimize costs:

$$\min_{a_i \leq u_i} C_i(a_i) + \tau(u_i - a_i)$$

The firm chooses

$$\frac{\partial C_i(a_i)}{\partial a_i} = \tau$$

Since this holds for all firms, we have

$$\frac{\partial C_1(a_1)}{\partial a_1} = \dots = \frac{\partial C_N(a_N)}{\partial a_N}$$

**Cost efficiency!**

## The efficient policy: tradable pollution permits

- ▶  $E$ , total amount of pollution rights (permits)
- ▶  $e_i$ , endowment of permits for  $i$  so that  $e_1 + \dots + e_N = E$
- ▶  $p$ , market price for permits

Firm  $i$  problem is to minimize costs:

$$\min_{a_i \leq u_i} C_i(a_i) + p(u_i - a_i - e_i)$$

The firm chooses

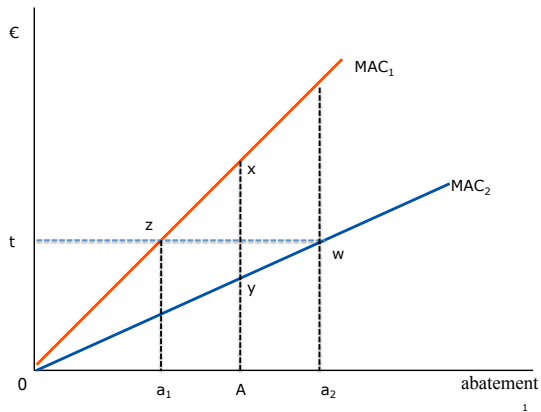
$$\frac{\partial C_i(a_i)}{\partial a_i} = p$$

Since this holds for all firms, we have

$$\frac{\partial C_1(a_1)}{\partial a_1} = \dots = \frac{\partial C_N(a_N)}{\partial a_N}$$

**Cost efficiency!**

# Can you identify the cost-savings under taxes and permits?





# Uncertainty and the choice between prices and quantities

- ▶ Permits and taxes are equivalent instruments if the regulator knows the aggregate cost curves (for damages and abatement costs)
- ▶ The market-based instruments allow the regulator to ignore private information held by firms, that is, no need to know individual firm's costs
- ▶ Uncertainty about the aggregate cost of emissions reductions: Permits and taxes lead to different outcomes

# Prices vs. quantities

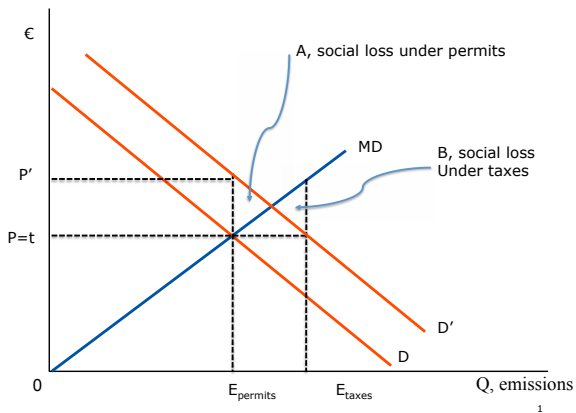
- ▶ Let  $D$  be the market demand of emissions. Without regulation, firms would produce until  $D=0$ . See figures below.
- ▶ The social marginal damage is  $MD$ , so that in the social optimum  $D=MD$
- ▶ **Price regulation:** tax set at a level where  $D=MD$
- ▶ **Quantity regulation:** supply of permits  $E$  such that the permit price settles at the desired level

## Prices vs. quantities

- ▶ However, if  $D$  is not known at the time of regulation,  $D$  is only the expected value of emissions to firms. The true, realized value could be  $D'$ , e.g., due to a boom. Then, neither of the instruments is ex post optimal
- ▶ The social losses are given by areas A and B
- ▶ Depends on the relative slopes of the  $D$  and  $MD$  curves
- ▶ If  $MD$  is very steep, it is better to use permits. Makes sense: when serious damage can occur from excessive taxation, it is better to fix quantities. Toxic waste, for example.
- ▶ If  $MD$  is very flat, taxes are better. This is an argument for taxes in climate change

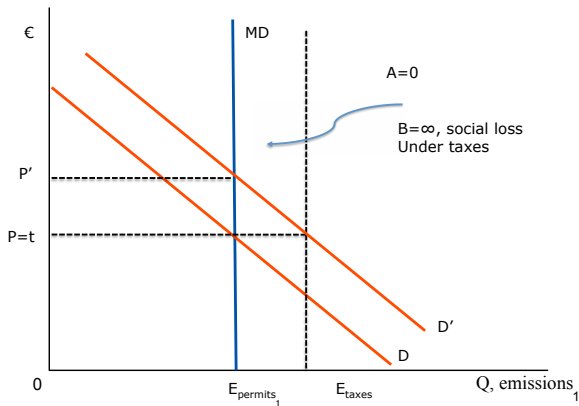
# Prices vs. quantities

The difference between taxes and permits under uncertainty



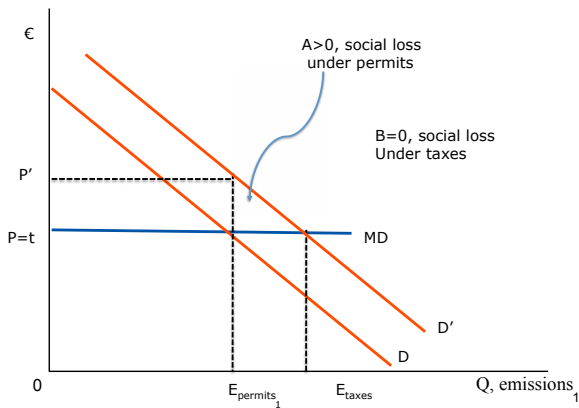
# Prices vs. quantities

When MD is very steep taxes can imply a huge loss



# Prices vs. quantities

The difference between taxes and permits under uncertainty



# Comment on instruments: policies have distributional impacts

- ▶ Costs to Consumers (low income households spend a high fraction of income on heating fuel and electricity)
- ▶ Costs to Factors (firms invest in abatement technology, increasing the relative demand for capital, not labor)
- ▶ Benefits from Scarcity Rents (cap and trade systems usually handout valuable permits to shareholders)
- ▶ Benefits from Environmental Protection
- ▶ Costs of Transition (costs on laid off workers as % of income)
- ▶ Capitalization Effects (stock prices rise or fall, house prices rise or fall)

Source: Fullerton, see the readings folder