

31E2300  
MACROECONOMICS: POLICY

THE THREE EQUATION MODEL FOR OPEN ECONOMIES (CONTINUED)

# TODAY (AND WEDNESDAY SPILLOVER?)

- The AD-ERU Model
- CB Stabilization in the Open Economy and the  $RX$  Curve.
- Exchange Rate Overshooting/Volatility and Its Causes.

# MEDIUM RUN EQUILIBRIUM: THE AD-ERU FRAMEWORK

- Medium-run equilibrium (MRE): WS-PS intersection pins down the equilibrium rate of unemployment (ERU) at constant inflation.
- **ERU**: Supply side in equilibrium, inflation is constant.
- **AD**: Goods market in equilibrium, int. rate equals world level ( $i = i^*$ ). NOTE: THERE IS NO REQUIREMENT, THEN, THAT ECONOMY “BE ON” THE AD SCHEDULE IN THE SHORT RUN. ALSO, THIS IS \*NOT\* THE USUAL – OR INDEED, ANY SORT – OF “AGGREGATE DEMAND” SCHEDULE.

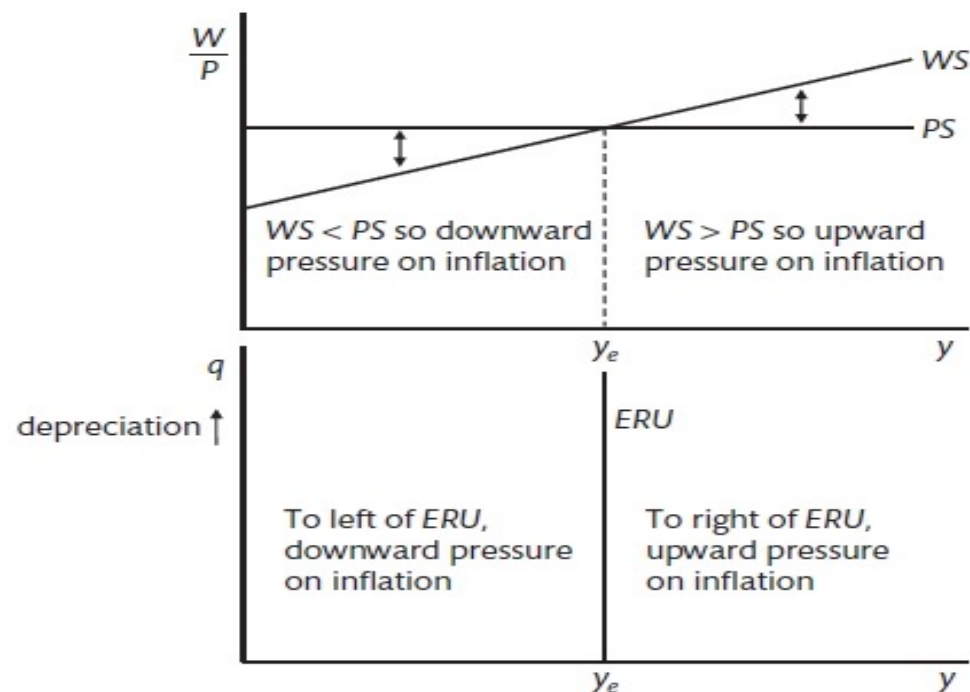


Figure 9.5 Supply-side equilibrium and the ERU curve.

## Supply-side Equilibrium (Ch. 2):

ERU curve: combinations of RER ( $q$ ) and  $y$  at which  $w^{PS} = w^{WS}$ .

Note:  $q$  is log of RER:  $q \equiv \log Q$

# BUILDING THE OPEN ECONOMY MODEL

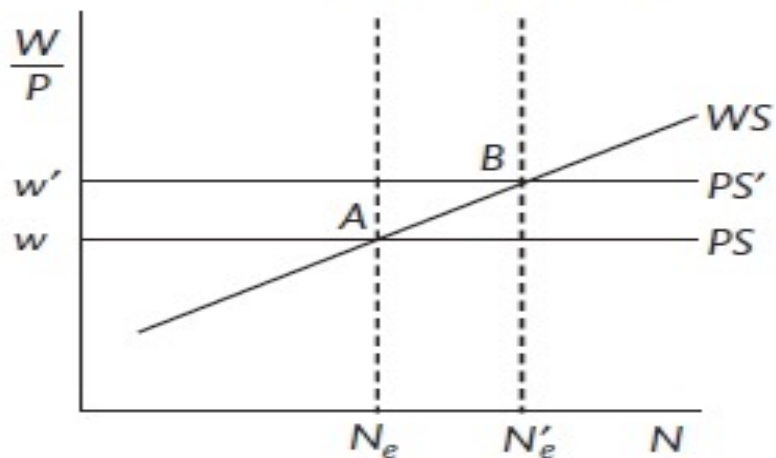
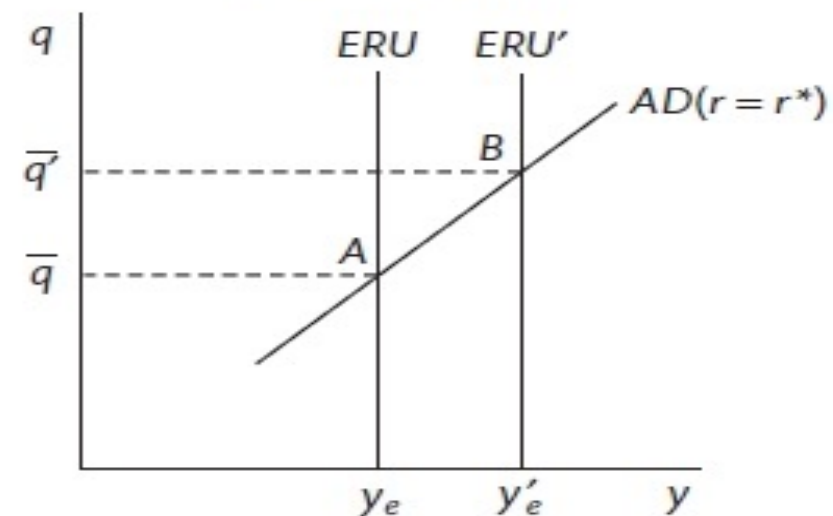
- Open economy IS curve:  $y_t = A_t - ar_{t-1} + bq_{t-1}$ .
- $r = r^*$  in MRE b/C under the *real* UIP condition:  $r_t - r^* = q_{t+1}^E - q_t$ ,  $r = r^*$  is necessary for a constant RER.
- Open economy AD curve:  $y = A - ar^* + bq$  (depreciated RER  $\rightarrow y \uparrow$ )
- AD curve: Medium-run combinations of real exchange rate and output where the goods market is in equilibrium and  $r = r^*$ .

The basic medium-run AD-ERU model:

1. **AD** curve: Demand side,  $y = y^{AD}$  (GME),  $r = r^*$ .
  2. **ERU** curve: Supply side,  $y = y_e$ , constant inflation.
  3. **MRE**: AD intersects wt. ERU;  $r = r^* \rightarrow q = \bar{q}$ ;  $y = y_e \rightarrow \pi$  constant.
- Closed economy: New stabilizing  $r_S$  at the medium run after a shock.
  - Small open economy: Medium run  $r$  pinned down by  $r^*$  ( $r = r^*$ ), therefore it is  $q$  that moves in response to a shock.

# EXAMPLE

a. Positive supply shock  
→ real depreciation



Example:

a. +ve supply Shock

→ PS shifts up

→ ERU shifts right

→ New equilibrium  $\bar{q}' \uparrow$  (depreciation)

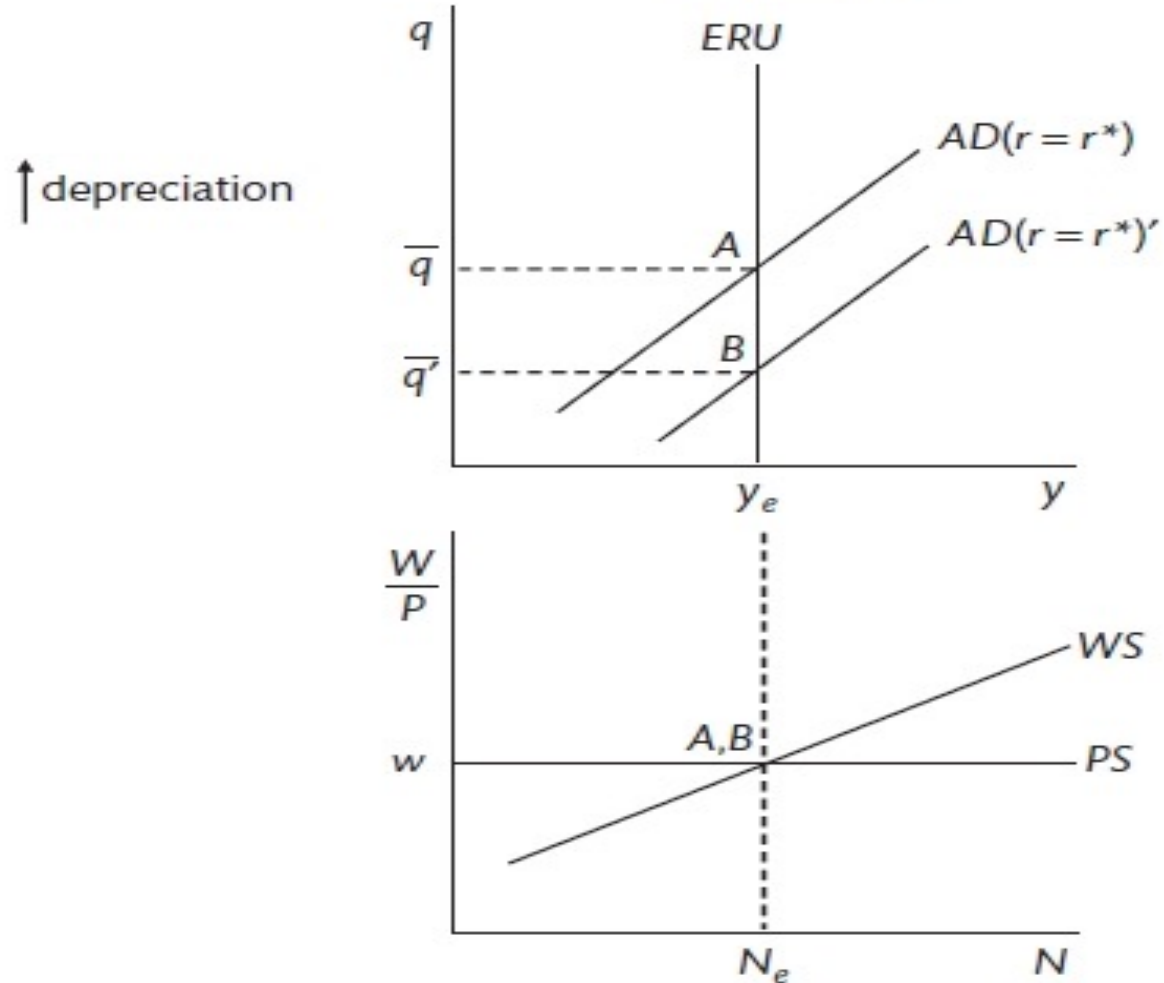
&  $y_e \uparrow$

→ For  $y_{AD} = y_e'$ , need  $q \uparrow$ .

↑ depreciation

# EXAMPLE

b. Positive demand shock  
→ real appreciation



Example:

b. +ve AD Shock

→ AD shifts rightwards

→ New equilibrium  $\bar{q}' \downarrow$  (appreciation)

&  $y_e$  constant.

→  $r$  is fixed at  $r^*$ , so need  $q \downarrow$  for  $y_{AD} =$

$y_e$ .

# EFFECTS OF SHOCKS ON MEDIUM RUN EQUILIBRIUM

Quick Summary: Shock implications for the med-run equilibrium

**Table 9.1** Supply and demand shocks: implications for medium-run equilibrium.

	Shock		
	Rise in productivity	Fall in union bargaining power	Increase in autonomous consumption
Equilibrium unemployment	↓	↓	no change
Real exchange rate	depreciation	depreciation	appreciation
Real wage	↑	no change	no change

*Note:* ↑ means the variable is higher in the new medium-run equilibrium, ↓ means it is lower and 'no change' means it is unchanged. We assume a flat PS curve throughout.

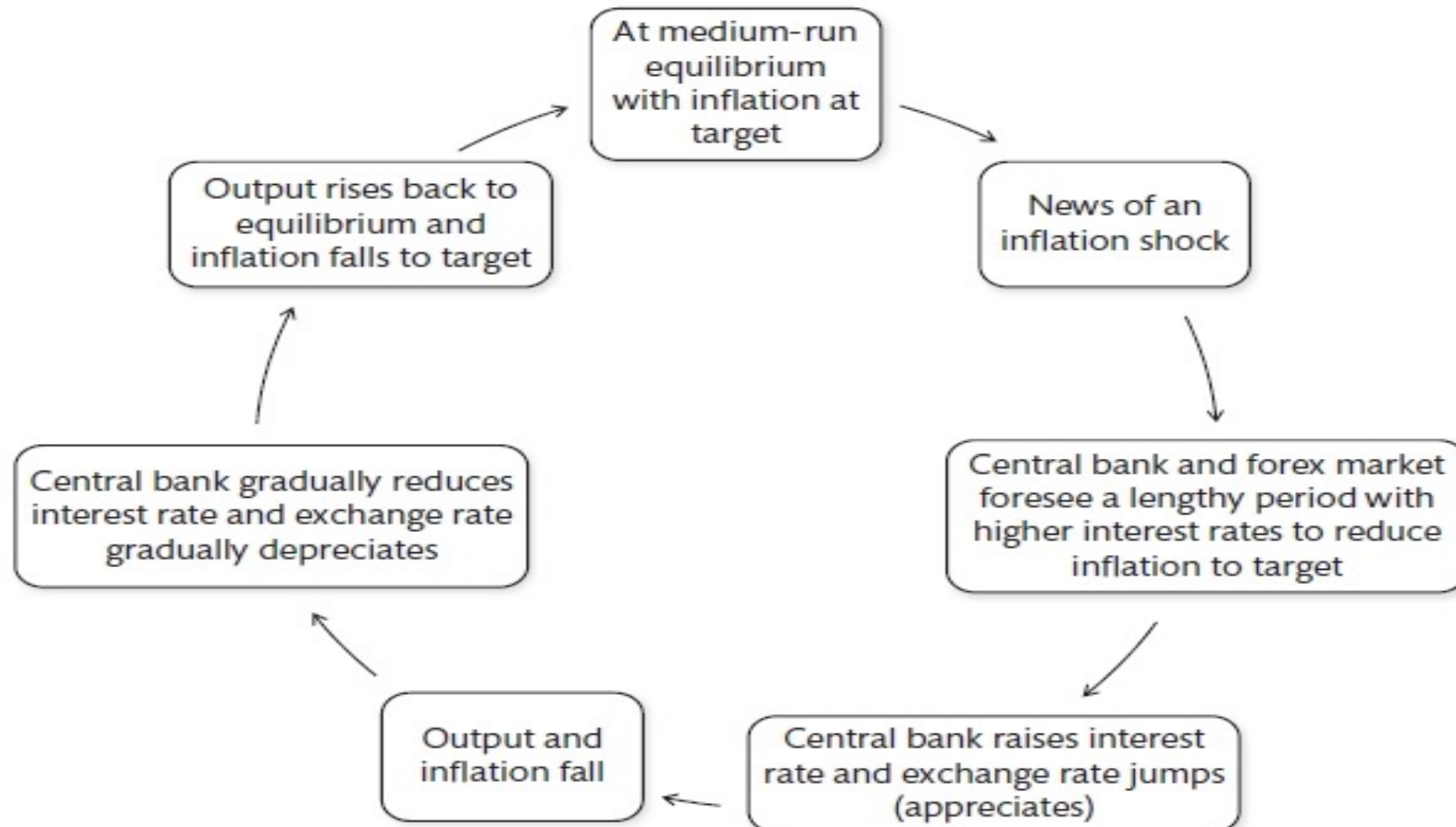
# STABILIZATION IN THE SHORT RUN: THE RX CURVE UNDER FLEXIBLE EXCHANGE RATES

- RX curve in the 3-eqn model: Shows the CB's best  $r$  –response taking into account forex market reactions.
- Assume the CB targets domestic  $\pi$  (excl. imports) and factors in:
  - *Forward-looking forex market behaviour*
  - *The effect of  $q$  on  $y$ .*
- As before, the CB minimizes its loss function subject to the PC, which yields the MR curve showing the desired  $y$ -gap.
- The desired  $y$ -gap is now implemented through the choice of  $r$ :
  - *using the open economy IS curve, and ...*
  - *... factoring in the reaction of the forward-looking forex market.*
- Instead of adjusting back to equilibrium on the IS, the CB adjusts along the flatter RX curve (smaller  $\Delta r$  needed since  $q$  moves too).



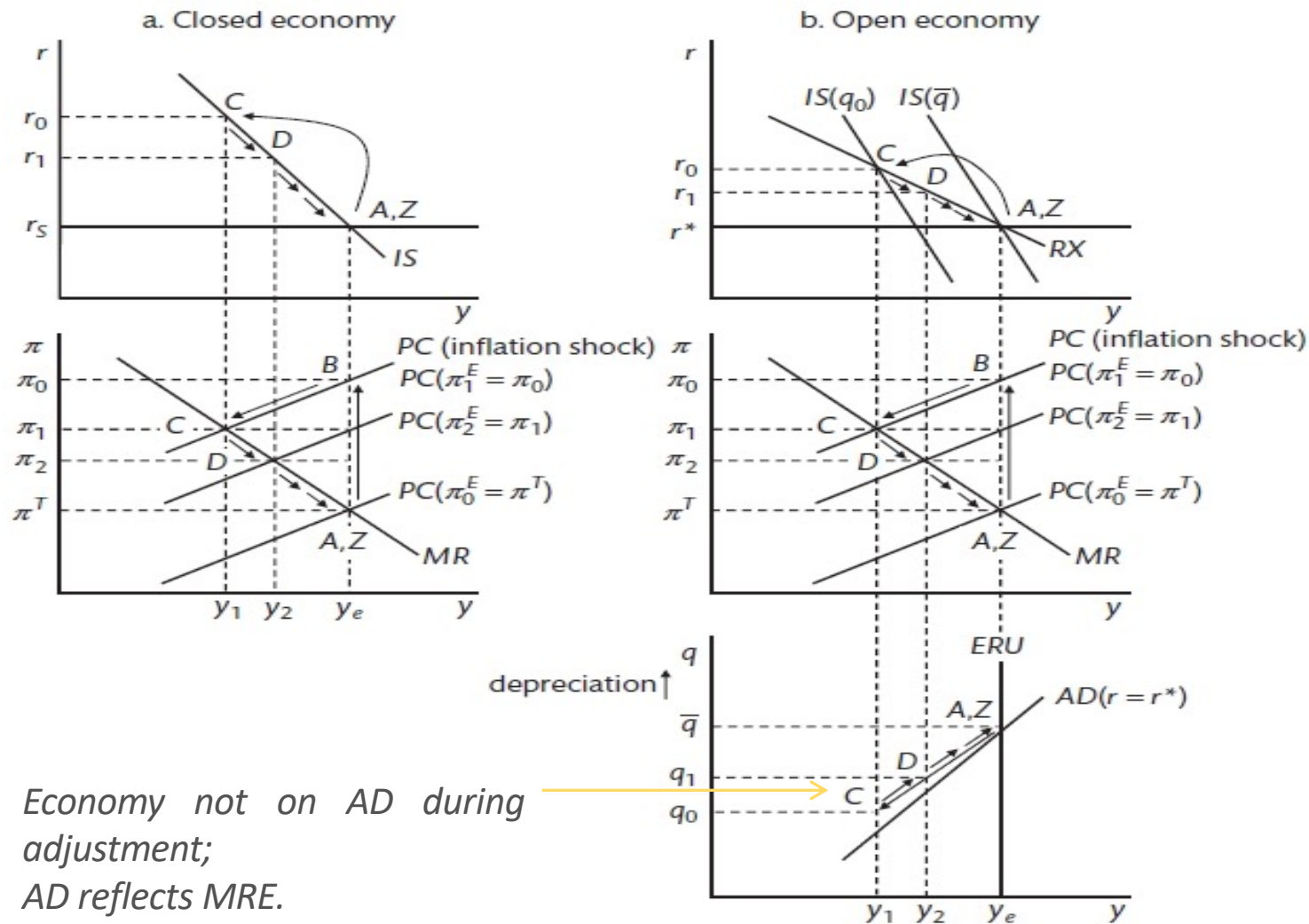
# VISUAL REPRESENTATION

Fig 9.7: Dynamic adjustment to an inflation shock under flexible exchange rates and  $\pi$ -targeting



# CLOSED V OPEN ECONOMIES: INFLATION SHOCK

## Inflation shock: Closed vs Open economies



Economy not on AD during adjustment;  
AD reflects MRE.

- Closed economy (Ch. 3)
- Open economy

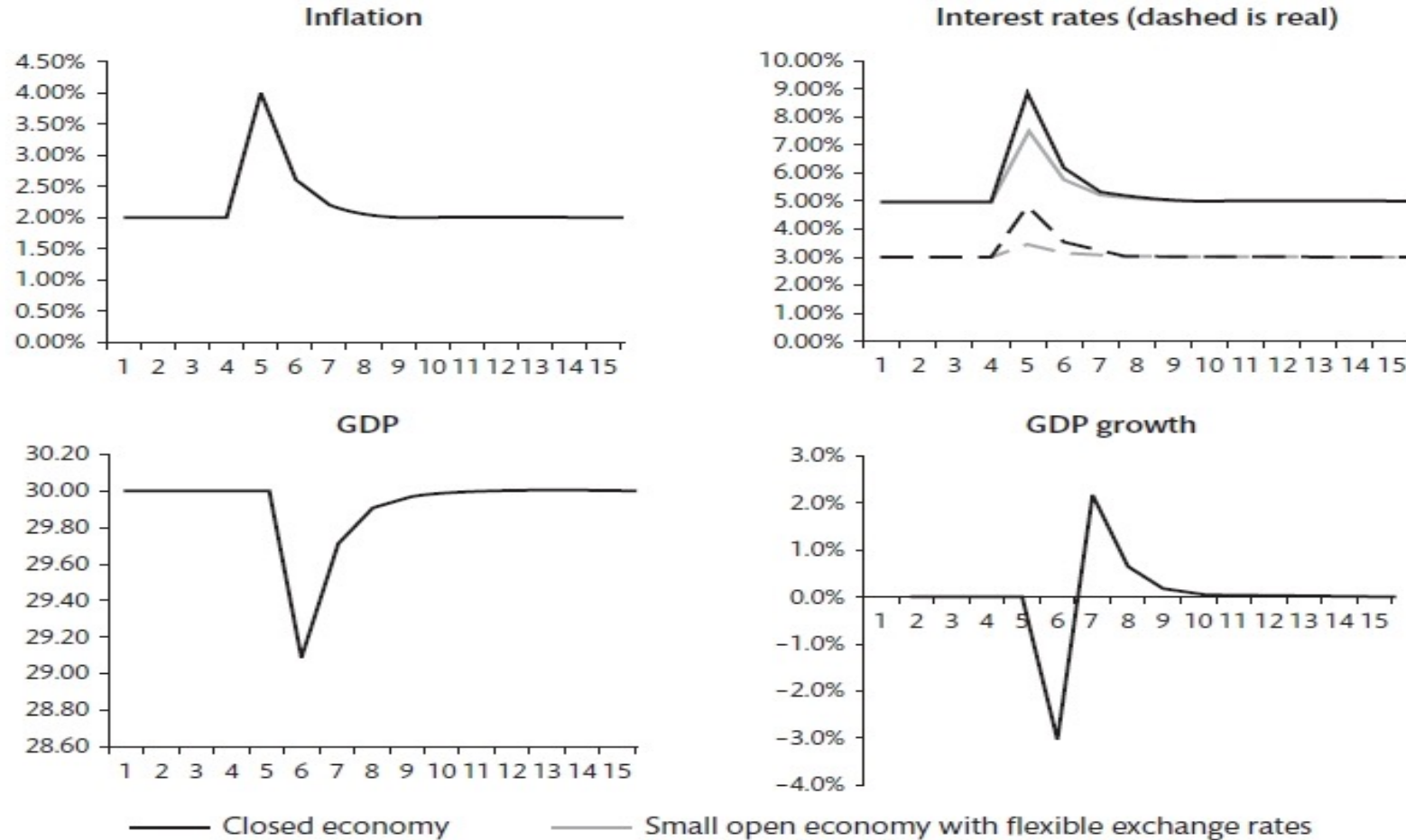
Shock  $\rightarrow$  Forex mkt foresees  $r > r^*$  for some periods  $\rightarrow$  via UIP:  $q \downarrow$  immediately  $\rightarrow$  to get economy on MR, CB sets  $r_0$  on RX at 'C', which factors in the new  $IS(q_0)$ .

Higher  $r_0$  and appreciated  $q$  reduces  $y$  next period (lag)  $\rightarrow y \downarrow$  &  $\pi \downarrow \rightarrow$  PC shifts down & CB desires pt. 'D' now  $\rightarrow$  \*\* CB knows that lower  $r$  means  $\uparrow q \rightarrow$  IS predicted to shift right  $\rightarrow$  As before, CB sets  $r_1$  on RX.

Process repeats until MRE 'Z' is reached.

# CLOSED V OPEN ECONOMIES (INFLATION SHOCK)

*Impulse Responses from an inflation shock*



**\*\*** Key difference in the interest rate response.

Source: *Macroeconomic Simulator from the Carlin and Soskice webpage*

**Figure 9.9** Macroeconomic simulator example—Impulse response functions after an inflation shock (in period 5) in a closed economy and a small open economy with flexible exchange rates.

# CLOSED V OPEN ECONOMY ADJUSTMENT (CONTINUED)

1. Initial rate hike after  $\pi$  shock (to  $r_0$ ) is greater in closed economy,  $q$  appreciation shoulders the burden.
2. IS shifts each period in the open economy as the change in  $q$  also changes  $y$  due to net exports.
3. The closed economy moves along IS to equilibrium; the open economy moves along the flatter RX back to equilibrium

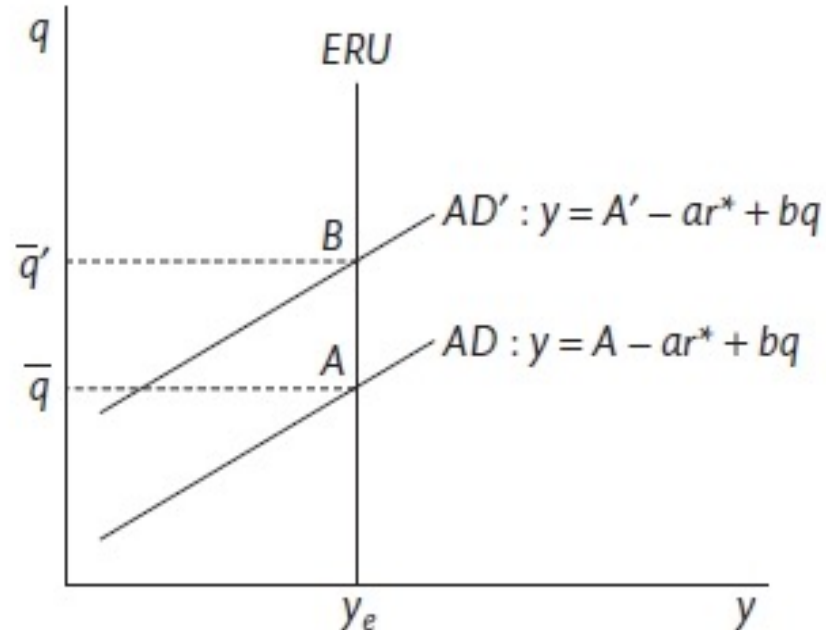
## Key features of the RX:

1. Goes through the intersection of  $r^*$  and  $y_e$ ; RX shifts iff these shift.
2. Slope reflects (i) int. rate and exchange rate sensitivity of AD, (ii) the CB's preference and (iii) the PC's slope:
  - a. *Flatter than the IS: RX is flatter if IS is flatter (ie. higher  $r$  or  $q$  sensitivity)*
  - b. *Flatter if the MR is steeper (i.e. flatter PC or CB is less  $\pi$  averse)*

*Note: Flatter RX means CB raises int. rate by less.*

# APPLICATION: DEMAND AND SUPPLY SHOCKS IN OPEN ECONOMIES

- Both types of shock affect the medium run  $\bar{q}$ ; see the effect of a negative demand shock ( $A \downarrow$ ) in the AD-ERU diagram below:



### Open Economy:

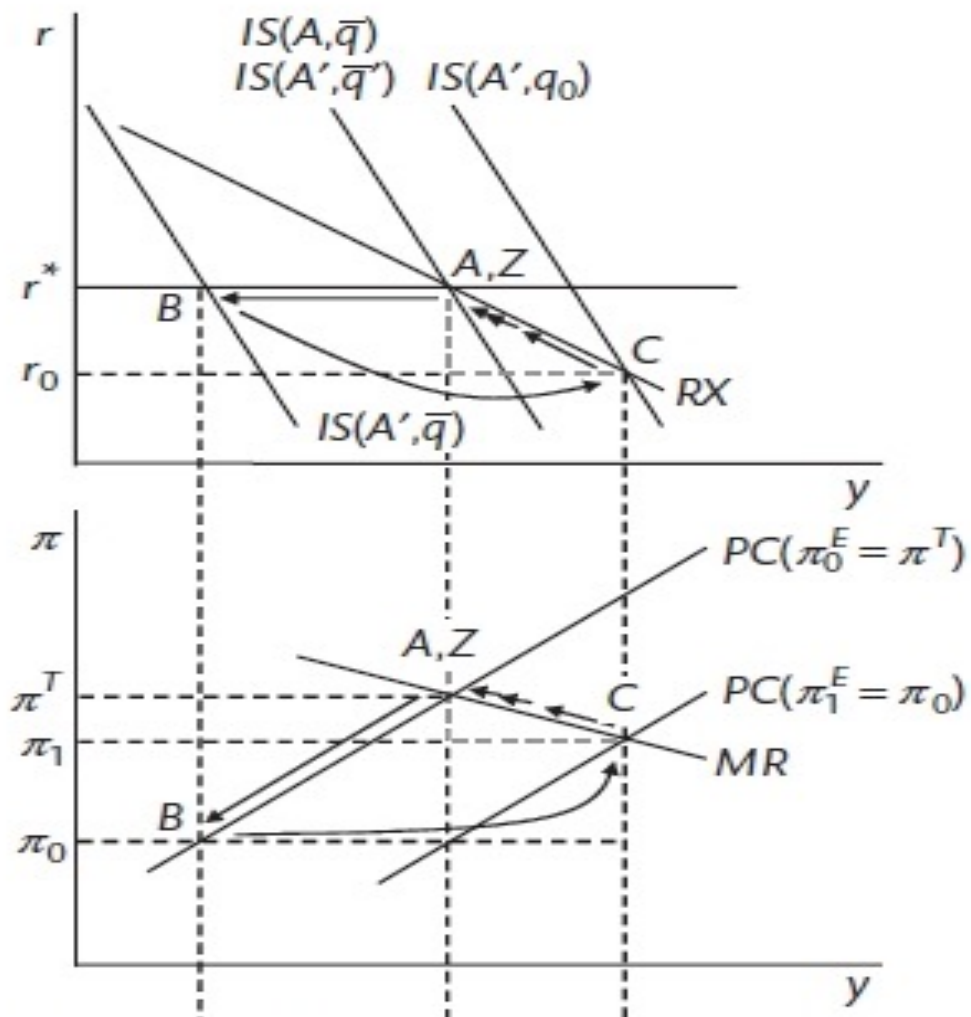
Since  $r = r^*$  (fixed), a depreciated RER is needed to boost exports and offset the fall in  $A$ , s.t.  $y = y_e$ .

### Closed economy:

$A \downarrow$  implies a lower stabilizing real interest rate ( $r_S$ ).

Figure 9.10 Medium-run equilibrium: negative demand shock.

# APPLICATION: PERMANENT NEGATIVE AD SHOCK (FOR EXAMPLE?)



## Period 0 ('A'):

-ve AD shock: IS shifts to  $IS(A', \bar{q}) \rightarrow y \downarrow, \pi \downarrow \rightarrow$  CB forecasts PC and chooses desired pt. 'C'  $\rightarrow$  CB  $\downarrow r \rightarrow$  Forex mkt predicts  $r < r^* \rightarrow q \uparrow$  (UIP)  $\rightarrow$  CB knows this and sets  $r_0$  on RX Economy at:  $\pi_0, y_0, r_0$  and  $q_0$ .

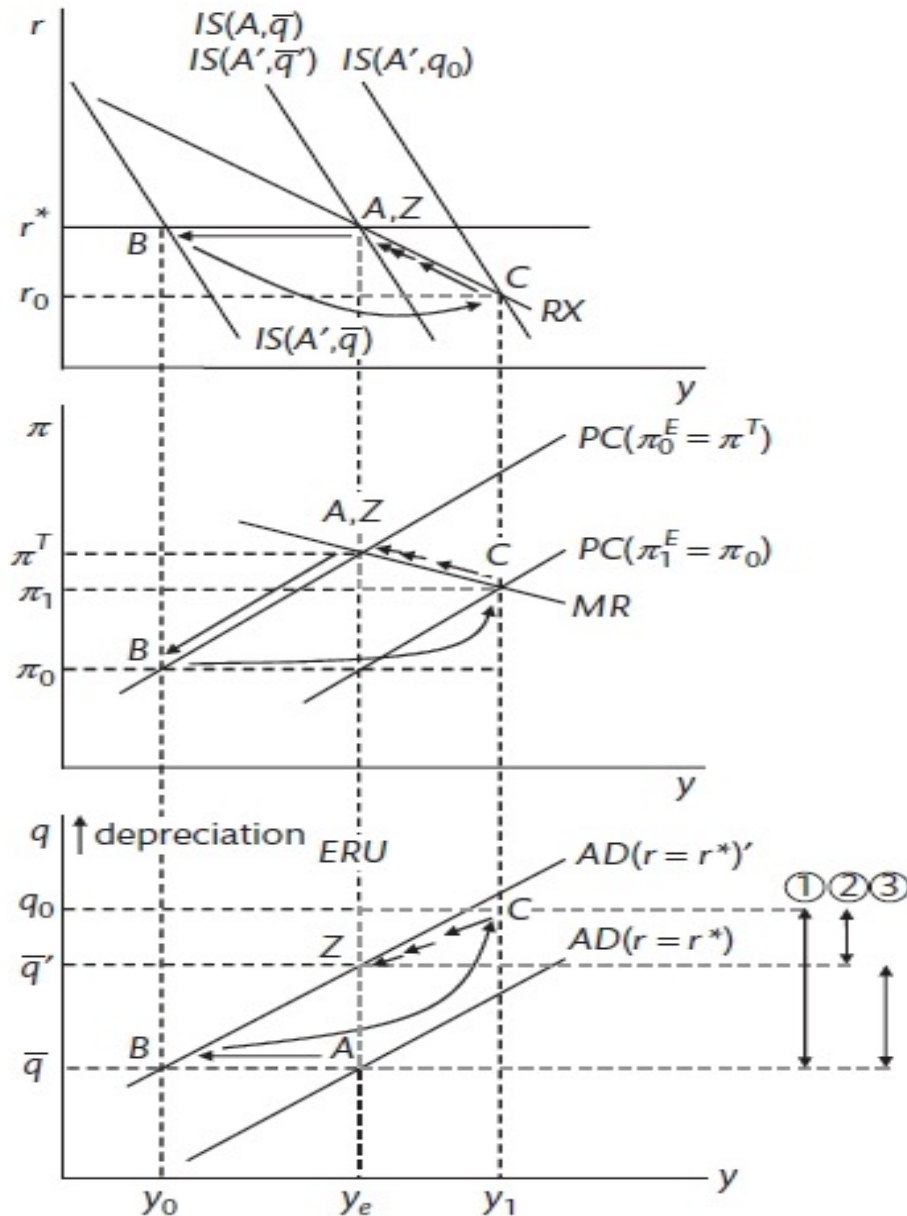
## Period 1 onwards:

Lower  $r_0$  and depreciated  $q_0 \rightarrow y \uparrow, \pi \uparrow$  (pt. 'C')  $\rightarrow$  IS curve has shifted to  $IS(A', q_0)$  due to depreciation.

As the econ shifts from 'C' to 'Z', the IS gradually shifts left; the economy moves up the RX and MR as the CB raises  $r_0$  to  $r^*$ ; RER appreciates to  $\bar{q}$ .

Note:  $q$  moves for UIP to hold every period.

# APPLICATION: PERMANENT NEGATIVE AD SHOCK, CONTINUED



1. Initial depreciation
2. Real exchange rate overshooting
3. Equilibrium depreciation

Bottom panel (AD-ERU):

-ve AD shock  $\rightarrow$  AD shifts left  $\rightarrow$  Initial depreciation ( $\bar{q}$  to  $q_0$ ) greater than equilibrium depreciation ( $\bar{q}$  to  $\bar{q}'$ )  $\rightarrow$  ie. Exchange rate overshooting.

At pt. 'C', RER  $q_0$  is expected to appreciate over the period to  $\bar{q}'$  since  $r < r^*$  (UIP).

Pt. 'C' is off the AD curve since  $r \neq r^*$ . In fact 'C' is to the right of AD as the lower  $r < r^*$  results in a higher off-equilibrium  $y$ .

# EMPIRICAL IMPLICATION: OVERSHOOTING

- Nominal and real exch. rates jump more than equilibrium adjustment to shocks.
- Combination of factors causes overshooting:
  1. An internationally integrated financial market
  2. Rational expectations in the forex market, lead to jumps in exchange. rate
  3. Sluggish adjustment of wages and prices, which requires keeping  $r < r^*$  until  $\pi = \pi^T$  (for negative AD shock)
- Integrated financial mkts  $\rightarrow$  real UIP cond. always holds:  $r_t - r^* = q_{t+1}^E - q_t$ .
- The greater  $r_t - r^*$  is needed (big shock), the more  $q_t$  has to overshoot.
- Initial exch. rate jump = equilibrium change + exch. rate overshooting.
- Dornbusch: Overshooting explains exch. rate volatility.



# EXAMPLE: THE THATCHER RECESSION

Exchange rate overshooting during the Thatcher recession:

*Tightening of MP (1979) did not lead to an immediate fall in  $\pi$ , but a sharp appreciation in the pound  $\rightarrow$  permanent damage to manufacturing sector.*

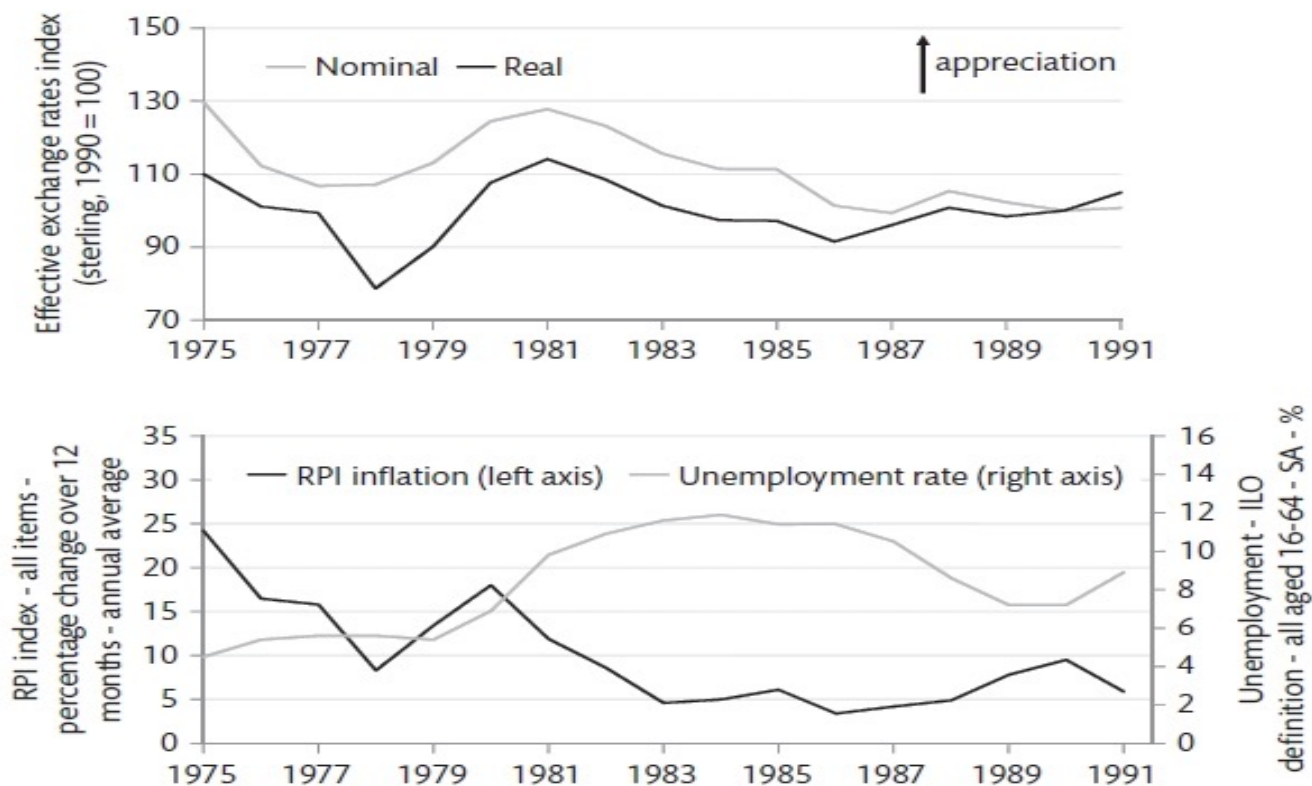
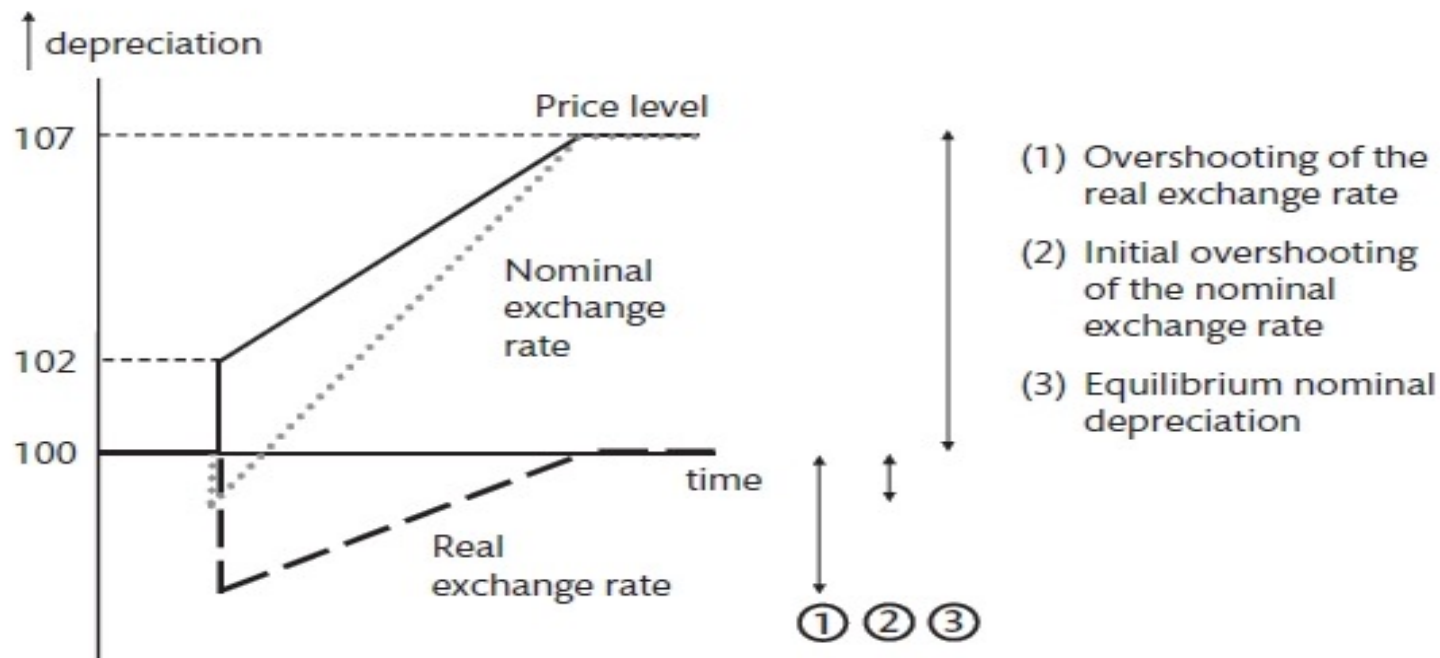


Figure 9.12 UK nominal and real effective exchange rate indices (1990 = 100): 1975–1991 (upper panel) and UK unemployment and inflation: 1975–1991 (lower panel).

# MORE ON OVERSHOOTING

Factors determining behaviour of nominal exchange rate:

- 3-equation model focused on the RER ( $q$ ); nominal e.r. ( $e$ ) moves according to the definition:  $Q \equiv \frac{P^*e}{P}$  ( $e$  is simply a residual).
- Below: Stylized path of  $P, e, q$  following an inflation shock



Initial nominal appreciation < real appreciation since  $\pi$  shock produced some of required RER appreciation.

During adjustment, nominal depreciation > real depreciation. Gradual real depreciation due to  $r > r^*$ , is partially offset by real appreciation due to  $\pi > \pi^*$ .

Figure 9.13 Real and nominal exchange rate paths following an inflation shock.

# SUMMARY

- Arbitrage: Movement into H bonds (due to  $i > i^*$ ) causes immediate appreciation s.t.  $e$  depreciates over time ( $\therefore$  No gain from H over F bonds)
- The UIP condition shows the relation between  $i - i^*$  and  $\Delta e$ .
- CB stabilization in the open economy involves factoring in responses by the forward-looking forex market.
- CB's interest rate response in the open economy is smaller due to the adjustments from the RER channel.
- Overshooting: Initial exch. rate jump  $>$  equilibrium change, coming from a persistent period of  $r >/< r^*$  due to  $\pi$  persistence and a rational forex market.