

OXYGEN REQUIREMENTS

$$R_o = Q \cdot \left\{ \underbrace{[(bCOD)_{in} - (bCOD)_{out}] + 4.33 [(NH_4^+)_{in} - (NH_4^+)_{out}]}_{\substack{\text{Substrate (Heterotrophs)} \\ \text{O.D. Ammonia}}} \right\} - \underbrace{1.42 \cdot P_{x, bio}}_{\substack{\text{0.0-} C_5H_7NO_2 \\ \text{SLUDGE PRODUCTION}}} - \underbrace{1.42 \cdot P_{x, bio}}_{\substack{\text{Substrate (Autotrophs)}}}$$

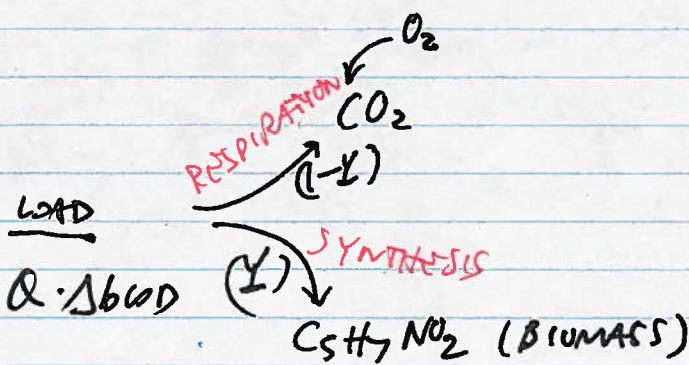
FLOW RATE

[7-61]

$$R_o = Q(S_o - S) - 1.42 \cdot P_{x, bio}$$

$$P_{x, bio} = \left(\begin{array}{c} \text{DAILY} \\ \text{SLUDGE} \\ \text{PRODUCTION} \end{array} \right) = \left[\frac{\text{Mass } C_5H_7NO_2}{\text{time}} \right] = \underbrace{\text{SLUDGE PRODUCTION HETEROTROPHS}}_{(A)} + \underbrace{\text{S.P. AUTOTROPHS}}_{(C)}$$

(10% total → DEBRIS)



$$YIELD = \frac{\text{SLUDGE PRODUCTION}}{\text{LOAD APPLIED}} = \frac{\text{MASS}_{VSS} \ C_5H_7NO_2}{\text{MASS}_{bCOD}}$$

$$P_{x, H} = (A) = \frac{Y_H \cdot Q \cdot \Delta bCOD}{1 + K_D \cdot MCRT}$$

$Y_{obs, H}$

DECAY CONSTANT $\left[\frac{1}{t} \right]$

b_H → K_D

SRT → $MCRT$

mean cell retention time (sludge age) [d]

$$P_{X,A} = \frac{Y_A \cdot Q \cdot \Delta N H_A^{\oplus}}{1 + k_{D,A} \cdot MRT}$$

\uparrow
 $k_{D,N}$ OR b_A OR b_N

$Y_{OBS,A}$

$$P_{X, bio} = \frac{Y_H \cdot Q \cdot \Delta blood}{1 + k_{D,H} \cdot MRT} + \frac{Y_A \cdot Q \cdot \Delta N H_A^{\oplus}}{1 + k_{D,A} \cdot MRT} + \overbrace{[(A) + (C)] \cdot 10\%}^{\text{Debris}} = \left[\frac{kg_{vss}}{Q} \right]$$

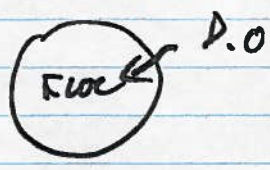
(A)

(C)

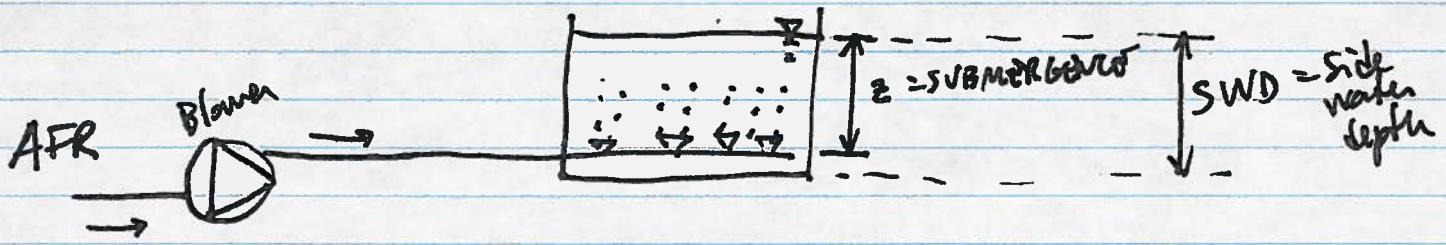
(B)

DATA
 $\checkmark R_0$ = calculated safety factor

$\checkmark OTR_{desired} := 1.5 \cdot R_0$



$\left[\frac{mass_{O_2}}{time} \right] \Rightarrow \left[\frac{kg_{O_2}}{h} \right] \text{ or } \left[\frac{kg_{O_2}}{d} \right]$

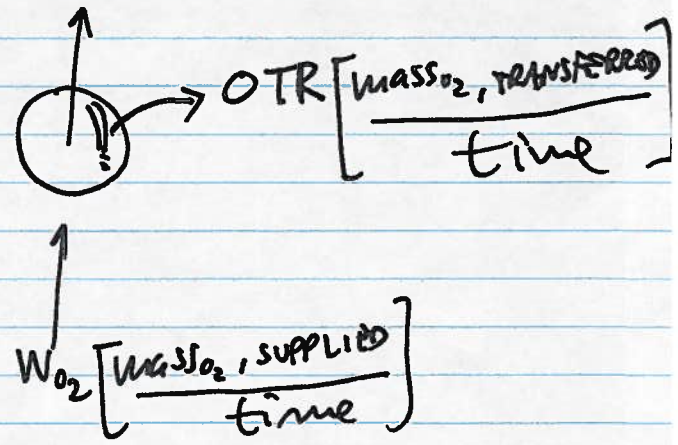


$AFR \cdot \rho_{AIR} \cdot \hat{y}_{O_2}^{0.23} = W_{O_2}$

$\left[\frac{Vol_{AIR}}{t} \right] \cdot \left[\frac{mass_{AIR}}{Vol_{AIR}} \right] \cdot \left[\frac{mass_{O_2}}{mass_{AIR}} \right] = \left[\frac{mass_{O_2, SUPPLIED}}{time} \right]$

$W_{O_2} >> OTR_{desired}$

$\frac{OTR}{W_{O_2}} = [\%] = \boxed{OTE}$
 O₂ TRANSFER EFFICIENCY



2) STD CONDITIONS OTE → SOTE

- 1 atm
- 20°C
- 0 salinity
- 0 D.O.

FINE-PORE DIFFUSERS
 ~ 2% / ft SUBMERGENCE

CLEAN WATER

PROCESS WATER (WW)

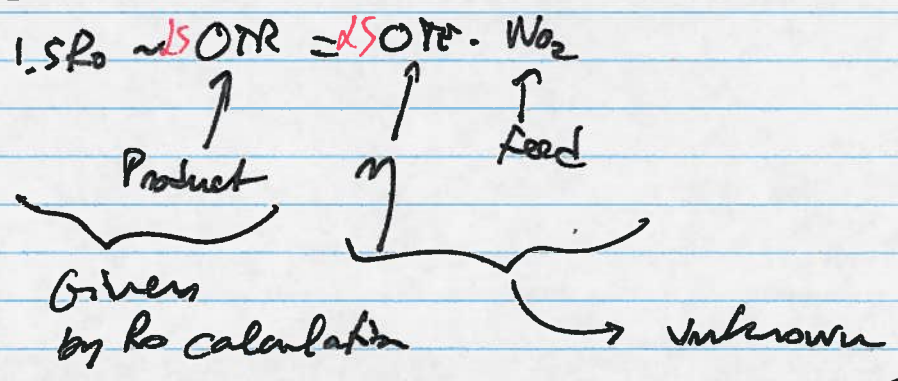
SOTE

$$\frac{\alpha SOTE}{SOTE} = \alpha \frac{SOTE(WW)}{SOTE(CW)}$$

\uparrow measured in WW
 \leftarrow measured in CW

$$\frac{OTR}{W_{O_2}} = OTE \iff \boxed{W_{O_2} = \frac{OTR}{OTE}} = \frac{\alpha SOTR}{\alpha SOTE} = \frac{\alpha F SOTR}{\alpha F SOTE}$$

\nwarrow Blower
 \uparrow Fouling Factor



- SOTE → 2% / hr CW
- α → 0.2 - 0.7
- 0.2 - 0.5 (bCOD removal only)
- 0.4 - 0.7 (NDN)

Blower side

$$AFR = \frac{W_{O_2}}{P_{AIR} \cdot \hat{y}_{O_2}} = \frac{\alpha SOTR}{\alpha SOTE} \cdot \frac{1}{P_{AIR} \cdot \hat{y}_{O_2}}$$

\uparrow 1.5 R₀ \uparrow Q_{blow}, AFR, P_{X,blow}

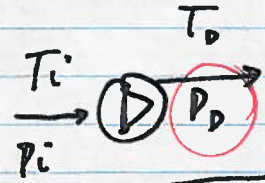
$\alpha SOTE \sim 1\% / hr$ WW

BLOWER POWER

$$\left[\frac{\text{mass}_{\text{AIR, SUPPLIED}}}{t} \right] = \frac{\text{AFR} \cdot \rho_{\text{AIR}}}{8.314 \text{ J/mol}\cdot\text{K}}$$

[4M, 5-56a]
[5M, 5-77a]

$$\text{BHP} = \frac{W_{\text{AIR}} \cdot R \cdot T_i}{28.97 \cdot \eta \cdot \gamma} \left[\left(\frac{P_D}{P_i} \right)^\gamma - 1 \right]$$



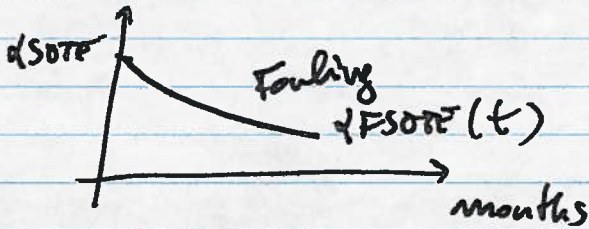
BREK
HORSE
POWER
[kW]

$$P_D > Z + h_L + \text{DWP} \cdot \Psi$$

↑ line hL
Submergence

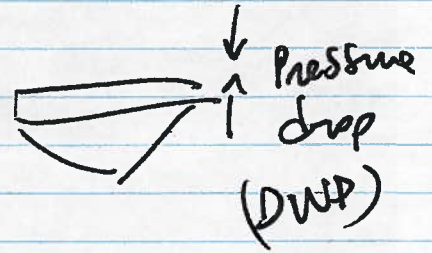
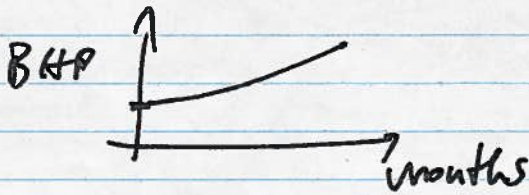
$\gamma = 0.283$ AIR

$$\text{BHP} \sim \left(\frac{\text{OTR}}{\text{OTE}}, \frac{1}{d}, \frac{1}{\text{SOTE}}, \frac{1}{F} \right) \left[\begin{array}{l} \rightarrow \text{DESIRED } O_2 \text{ TRANSFER} \\ \rightarrow \text{COMBINED EFFICIENCY} \end{array} \right]$$

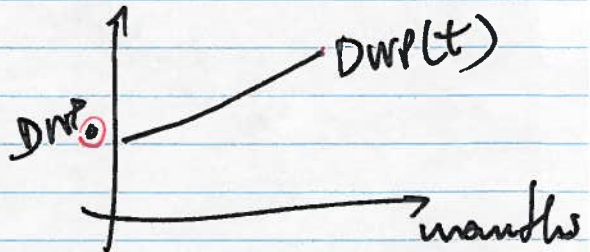


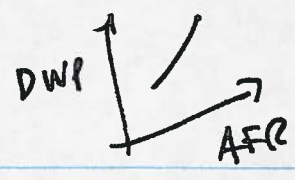
$$\frac{dFSOTE(t)}{dSOTE(t=0)} = \text{Fouling factor} = F$$

@ const OTR



Pressure Factor = $\Psi = \frac{\text{DWP}(t)}{\text{DWP}_i}$

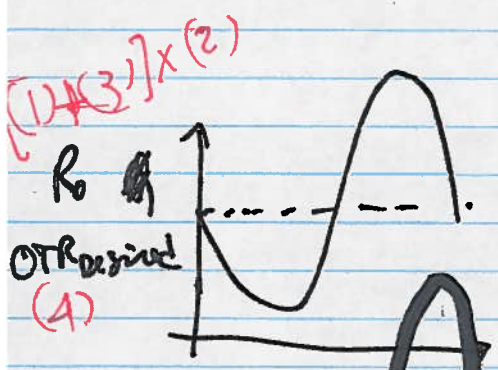
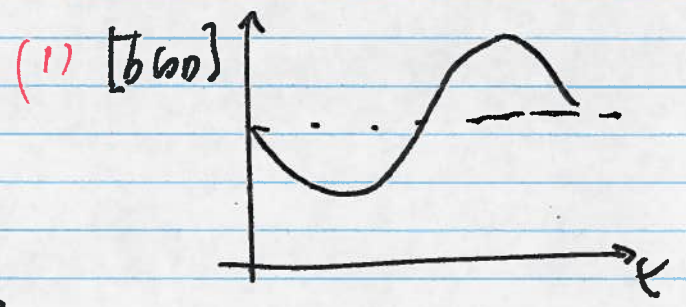
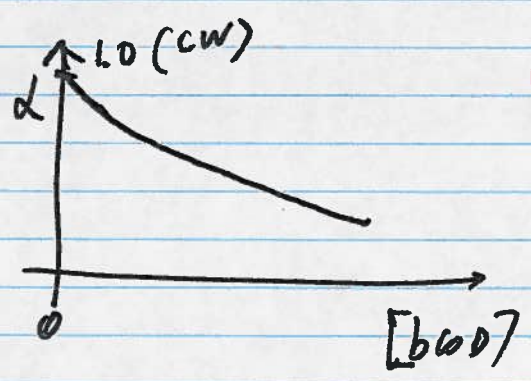
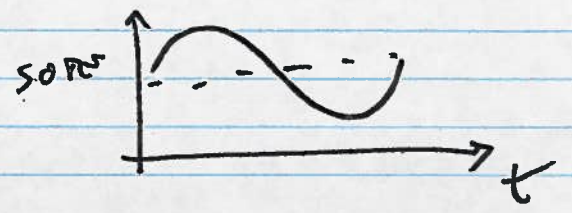
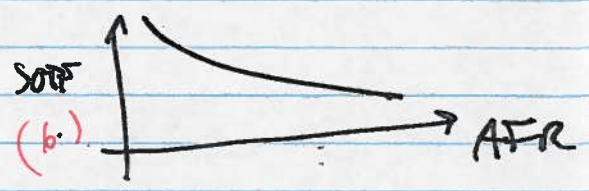




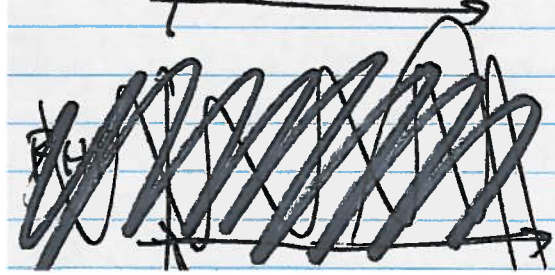
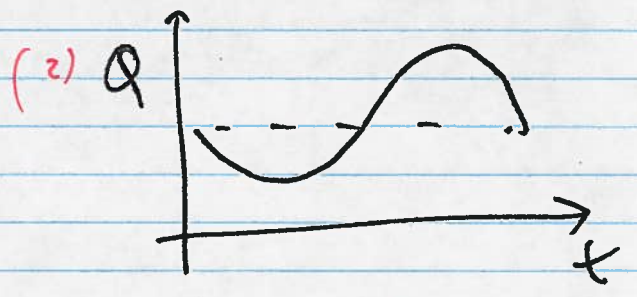
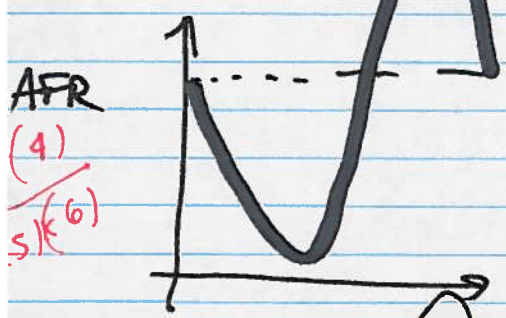
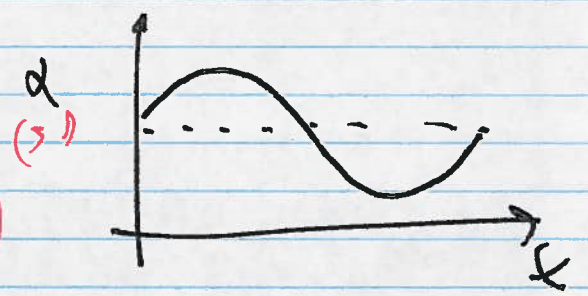
BHP DYNAMICS

$$BHP \sim \left(\frac{1}{\alpha \text{FSOT}^2}, \Psi \right)$$

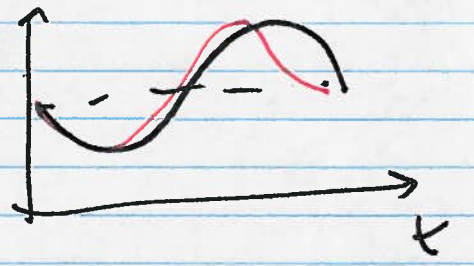
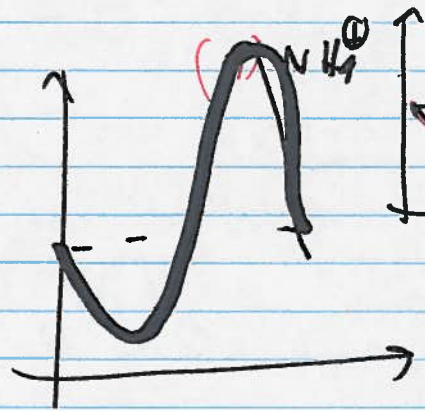
DIURNAL (pointing to α)
 MONTHLY TO YEARLY (pointing to Ψ)



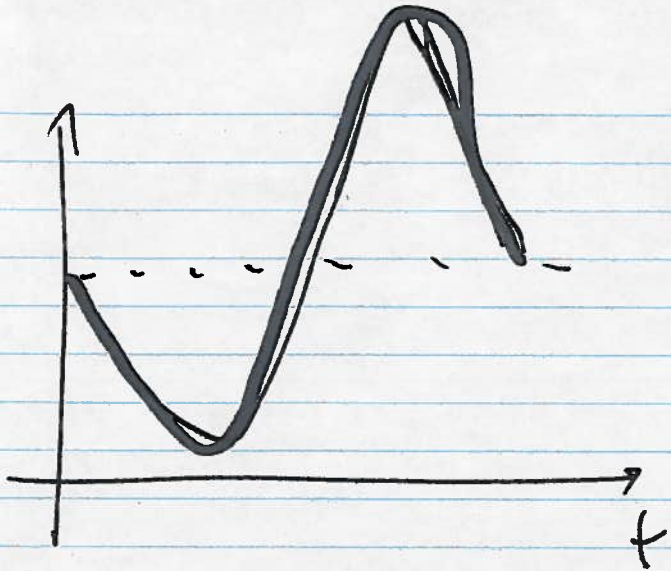
$$AFR \sim \frac{OTR^{(4)}}{\text{SOTF}^{(5)} \times (6)}$$



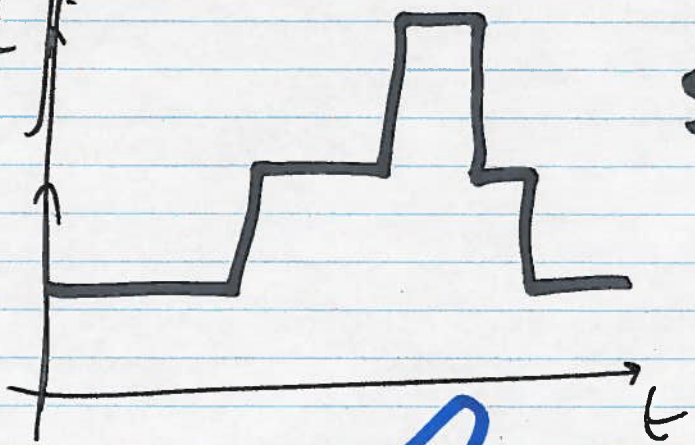
BHP



BHP(t)
[kW]



κ $\left[\frac{\text{kg CO}_2}{\text{kWh}} \right]$



social

CO₂ emission
from
power
[$\frac{\text{kg CO}_2}{\text{h}}$]

